

1 **Dense prediction of label noise for learning building extraction from**
2 **aerial drone imagery**

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16 Label noise is a commonly encountered problem in learning building extraction
17 tasks; its presence can reduce performance and increase learning complexity.
18 This is especially true for cases where high resolution aerial drone imagery is
19 used, as the labels may not perfectly correspond/align with the actual objects in
20 the imagery. In general machine learning and computer vision context, labels
21 refer to the associated class of data, and in remote sensing-based building
22 extraction refer to pixel-level classes. Dense label noise in building extraction
23 tasks has rarely been formalized and assessed. We formulate a taxonomy of label
24 noise models for building extraction tasks, which incorporates both pixel-wise
25 and dense models. While learning dense prediction under label noise, the
26 differences between the ground truth clean label and observed noisy label can be
27 encoded by error matrices indicating locations and type of noisy pixel-level
28 labels. In this work, we explicitly learn to approximate error matrices for
29 improving building extraction performance; essentially, learning dense prediction
30 of label noise as a subtask of a larger building extraction task. We propose two
31 new model frameworks for learning building extraction under dense real-world
32 label noise, and consequently two new network architectures, which approximate
33 the error matrices as intermediate predictions. The first model learns the general
34 error matrix as an intermediate step and the second model learns the false positive
35 and false negative error matrices independently, as intermediate steps.
36 Approximating intermediate error matrices can generate label noise saliency
37 maps, for identifying labels having higher chances of being mis-labeled. We have
38 used ultra-high-resolution aerial images, noisy observed labels from
39 OpenStreetMap, and clean labels obtained after careful annotation by the authors.
40 When compared to the baseline model trained and tested using clean labels, our
41 intermediate false positive-false negative error matrix model provides
42 Intersection-Over-Union gain of 2.74% and F1-score gain of 1.75% on the
43 independent test set. Furthermore, our proposed models provide much higher
44 recall than currently used deep learning models for building extraction, while
45 providing comparable precision. We show that intermediate false positive-false
46 negative error matrix approximation can improve performance under label noise.

47 Keywords: label noise, building extraction, dense prediction, deep learning,
48 remote sensing

49

50 **Introduction**

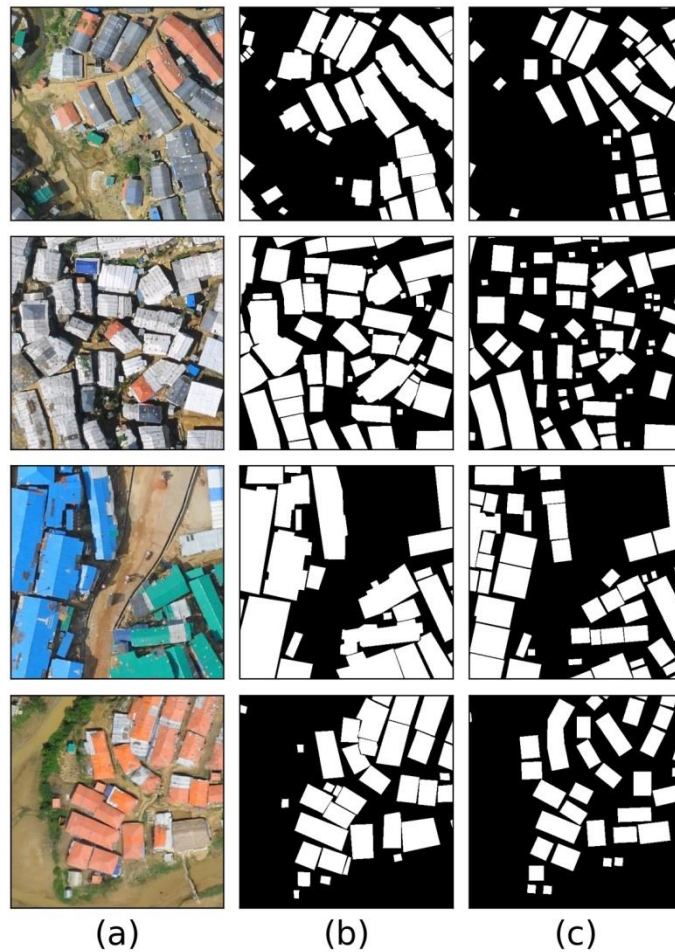
51 Building extraction involves learning mappings between remotely sensed aerial or
52 satellite images and building labels from freely available vector data. The most
53 commonly used source of labels, OpenStreetMap, though accurate to a large degree,
54 contain various types of label noise (Mnih and Hinton, 2012; Ahmed et al., 2020; Zhang
55 et al., 2020). Pixel-level predictions of building/non-building labels are performed,
56 which is a binary dense prediction task. Label noise occurs when the observed label
57 does not agree with the true label (Frénay and Verleysen, 2013; Frénay and Kabán,
58 2014) (Fig. 1). Presence of label noise in training data can reduce performance, while
59 noise in testing data can lead to underestimation of model performance (Ahmed et al.,
60 2020). However, most of the existing studies on deep learning-based building extraction
61 do not acknowledge the presence of label noise. In general, complexity of the learning
62 task is also increased under label noise (Garcia et al., 2015; Pelletier et al., 2017).
63 Research on robust method of building extraction considering label noise requires
64 formalization of the sources, processes and effects of noise on large scale freely
65 available labels. Currently, the types of dense label noise processes have not been
66 formalized in a comprehensively and inclusively in research. When building polygons
67 are rasterized, the buildings are represented as superpixels in the prepared dense binary
68 labels. Individual building polygon i.e. superpixel based errors are commonly
69 considered as sources of noisy labels.

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72 Coming from traditional remote sensing terminology, the most common are
73 registration errors, where building polygons are present but not aligned, annotated or
74 registered properly, and omission errors where buildings are left unlabeled (Mnih and
75 Hinton, 2012; Ahmed et al., 2020; Zhang et al., 2020). However, alternative
76 nomenclature has been proposed as well. Pixel-based nomenclature can be used to
77 express label noise processes in multiple scales, and therefore provides a more
78 generalized viewpoint. Even superpixel-based label noise processes are modeled using a
79 composite of pixel-based processes (Mnih and Hinton, 2012; Zhang et al., 2020). This
80 approach assumes that each pixel undergoing label noise is independent of and identical
81 to label noise processes in other (even neighboring) pixels. This scenario is analogous to
82 the use of label noise robust pixel-based building extraction methods such as logistic
83 regression (Maas et al., 2016), random forests (Maas et al., 2019), compared to the use
84 of deep learning-based label noise robust building extraction methods such as fully
85 convolutional networks and U-Nets (Zhang et al., 2020). The primary difference
86 between non-deep learning and deep learning-based building extraction is that the
87 former usually uses features from only the pixel being classified, whereas the latter
88 leverages context to predict dense labels for the entire image at once. Feature
89 representation is an important part of deep learning based remote sensing image
90 processing (Jing et al., 2021; He et al., 2021). Modeling of superpixel based label noise
91 process has been conducted for the general computer vision task of semantic
92 segmentation (Lu et al., 2016), but has largely been left unexplored for remote sensing
93 applications. If building extraction can be modeled using a dense prediction approach,
94 we argue that pixel-based label noise robustness approaches can also be extended to
95 dense prediction-based label noise robustness approaches.

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Figure 1. Some examples of large image tiles from our dataset. (a) Image (b) True clean dense labels (c) Observed dense labels from OpenStreetMap with real world noise

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There are various aspects of viewing the label noise generation process. Labeling tools used by human annotators also play a role in determining the label noise processes for dense prediction tasks (Frank et al., 2017). Simulated noise is common in label noise robust image classification scenarios (Ghosh et al., 2017; Rolnick et al., 2017; Patrini et al., 2017) and can be extended to dense prediction-based building extraction as well, however, we have access to data with real-world dense label noise. It is also important to acknowledge the limitations of simulated noise when compared to real-world noise (Jiang et al., 2020). Label noise processes can broadly be categorized by their randomness (Frénay, B., & Verleysen, 2013). For example, if certain building superpixels are being omitted in the observed labels, the question arises, are these

111 buildings being selected totally at random, or are certain types of buildings, perhaps
112 newly constructed buildings, being omitted. Randomness characterizes label noise
113 processes. Identifying this randomness is crucial for modeling label noise robust
114 learning systems. Randomness is unique to each dataset and is estimated prior to
115 modeling solutions.

116

117 We have quantified the effects of label noise on evaluation regimes for this
118 dataset and found that deep neural networks for semantic segmentation are intrinsically
119 robust to real world random label noise, specially aided if data augmentation and
120 regularization are introduced (Ahmed et al., 2020). However, robustness to label noise
121 is achieved as a by-product of overfitting-reduction schemes, and therefore the
122 modelling of label noise is implicit. In this work, we explicitly model dense label noise
123 as a subtask of building extraction, and show improved performance on independent test
124 set.

125

126 The primary objective of this study is to analyze label noise robustness of deep
127 semantic segmentation networks using our proposed evaluation regime. State-of-the-art
128 methods for deep learning-based building extraction from remotely sensed imagery
129 usually perform model evaluation using noisy labels as ground truth, we test the effects
130 of performing model evaluation against noisy labels and clean labels. Our contributions
131 are as follows. We outline approaches for modeling dense label noise and formalize a
132 multi-view and multi-scale taxonomy of label noise. We propose two new model
133 frameworks for building extraction from aerial drone imagery under dense label noise,
134 and consequently two new network architectures. Our network architectures
135 approximate the dense label noise characterizing error matrices as an intermediate step

136 to improve performance. Approximating intermediate error matrices can generate label
137 noise saliency/heat maps. We have made our dataset and method implementations
138 publicly available
139 (https://drive.google.com/uc?id=1UUGeewOaNzv_8kMGXOgEzR8_QKPIPr8)
140 (<https://github.com/nahian-ahmed/dense-label-noise>).

141 **Dense label noise models**

142 *Preliminaries and definitions*

143 Formulations on label noise in non-dense approaches are well defined and studied
144 (Frénay, B., & Verleysen, 2013; Frénay and Kabán, 2014). Label noise processes are
145 defined based on the nature of the randomness of the process in question. The three
146 types of noisy labels are -

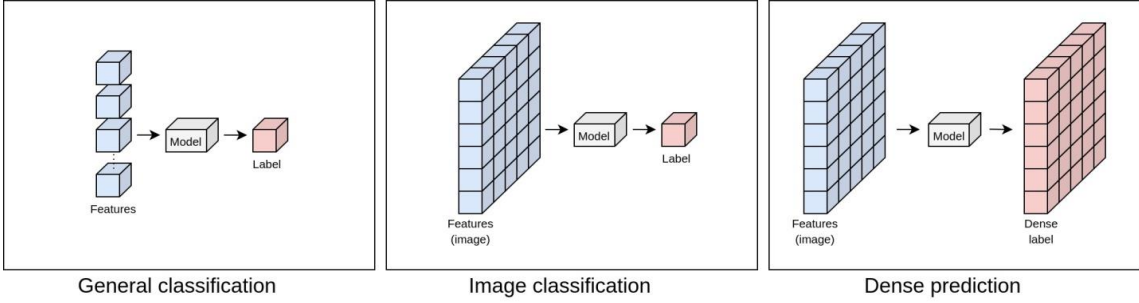
147

- 148 (1) Noisy completely at random (NCAR) labels, where labels are flipped completely
149 independent of features and class label,
- 150 (2) Noisy at random (NAR) labels, where labels are flipped independent of features
151 but dependent on class label,
- 152 (3) Noisy not at random (NNAR) labels, where labels are flipped depending on
153 features and class label.

154

155 These label noise models are equally highly apt at expressing label noise
156 processes for classification on tabular data and image data. In image classification, each
157 image is assigned a single label; though the feature is more complex, the target is still a
158 single label and therefore the non-dense label noise models are sufficient in describing
159 the noise processes. However, for dense prediction, tasks the notation and process

160 models for label noise need extension. We have formulated label noise models for our
 161 image segmentation task by extending the label noise models presented by Fréney, B.,
 162 & Verleysen, (2013) and design according to pixel-wise and dense dependencies. Dense
 163 label noise models can represent complex non-linear and fully-connected statistical
 164 dependencies between the image tensors and label tensors. Fig. 2 shows the conceptual
 165 differences between the label generation process for the general classification, image
 166 classification, and dense prediction.
 167



168 General classification Image classification Dense prediction
 169 Figure 2. Differences among general classification, image classification and dense
 170 prediction
 171

172 Given an observed noisy dense label $\tilde{\mathbf{Y}} \in \{0,1\}^{n_h \times n_w}$ and its corresponding true
 173 clean dense label $\mathbf{Y} \in \{0,1\}^{n_h \times n_w}$, where height and width of image tile is n_h and n_w
 174 respectively. Indexing n_h by i and indexing n_w by j , $\mathbf{Y}_{i,j}$ represents the pixel in i -th
 175 row and j -th column of a label tile, $\tilde{\mathbf{Y}}_{i,j}$ is considered to be noisy if $\tilde{\mathbf{Y}}_{i,j} \neq \mathbf{Y}_{i,j}$. We
 176 extend the binary variable random in Fréney and Verleysen (2013) indicating presence
 177 of label noise, to dense prediction settings. We define the *error matrix* $\mathbf{E} \in \{0,1\}^{n_h \times n_w}$
 178 as the matrix indicating positions of pixels with label noise. Thus, $\mathbf{E}_{i,j} = 1$ when $\tilde{\mathbf{Y}}_{i,j} \neq$
 179 $\mathbf{Y}_{i,j}$ and $\mathbf{E}_{i,j} = 0$ if $\tilde{\mathbf{Y}}_{i,j} = \mathbf{Y}_{i,j}$. For binary labels, if the current observed pixel label $\tilde{\mathbf{Y}}_{i,j}$
 180 and its labeling error presence $\mathbf{E}_{i,j}$ is known, the true label $\mathbf{Y}_{i,j}$ can directly be computed
 181 by flipping the observed label when the pixel label in question is deemed to be noisy.

182 Each element $E_{i,j}$ is a binary random variable indicating if $Y_{i,j}$ is to be noised or not.

183 The relationship among Y , \tilde{Y} and E in matrix form can be defined as

184

$$Y = |\tilde{Y} - E| \quad (1)$$

185

186 All operations in Eq. (1) are element-wise matrix operations. Table 1 confirms
 187 Eq. (1) and shows the different cases that may arise from combinations of $Y_{i,j}$ and $\tilde{Y}_{i,j}$.
 188 When the true label and observed label are the same (row no. 1 and 2 in Table 1), label
 189 noise is absent; when the true label and observed label are not equal (row no. 3 and 4 in
 190 Table 1), label noise is present. Given knowledge on the observed noisy label and error
 191 matrix, the clean label can directly be computed using Eq. (1).

192

193 **Table 1.** The four possible cases arising from combinations of $Y_{i,j}$ and $\tilde{Y}_{i,j}$

No	Case	Label noise	$Y_{i,j}$	$\tilde{Y}_{i,j}$	$E_{i,j}^+$	$E_{i,j}^-$	$E_{i,j}$	$ \tilde{Y} - E $
1	True negative observed pixel label	No	0	0	0	0	0	0
2	True positive observed pixel label	No	1	1	0	0	0	1
3	False positive observed pixel label	Yes	0	1	1	0	1	0
4	False negative observed pixel label	Yes	1	0	0	1	1	1

194

195 The error matrix is the absolute difference between the true and observed labels

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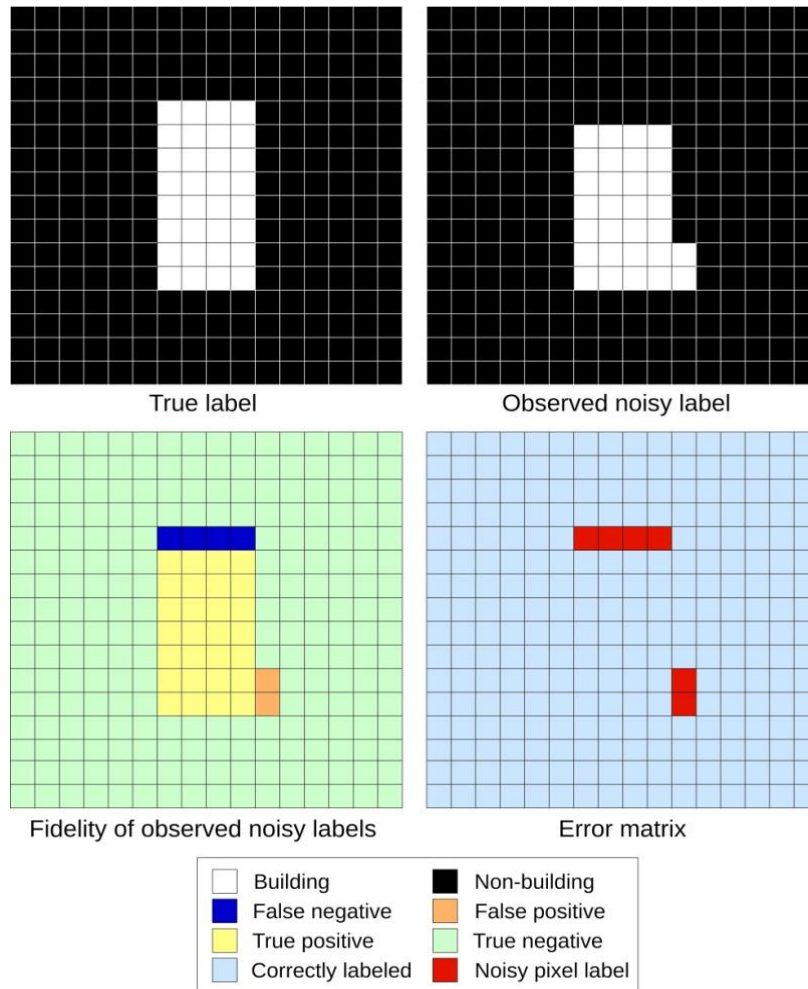
$$E = |Y - \tilde{Y}| = |\tilde{Y} - Y| \quad (2)$$

197

198 Let, the error matrix denoting *false positive* observed labels be $E^+ \in \{0,1\}^{n_h \times n_w}$
 199 and the error matrix denoting *false negative* observed be $E^- \in \{0,1\}^{n_h \times n_w}$. Thus, E is
 200 the element-wise logical ‘or’ (expressed as summation) of E^+ and E^- in matrix form,
 201

$$E = E^+ + E^- \quad (3)$$

202
 203 Fig. 3 shows an example of how label noise arises from disagreements between
 204 the true label and observed label, displaying that a few positive pixel labels were missed
 205 and a few true negative pixel labels were labeled as positives.
 206



207

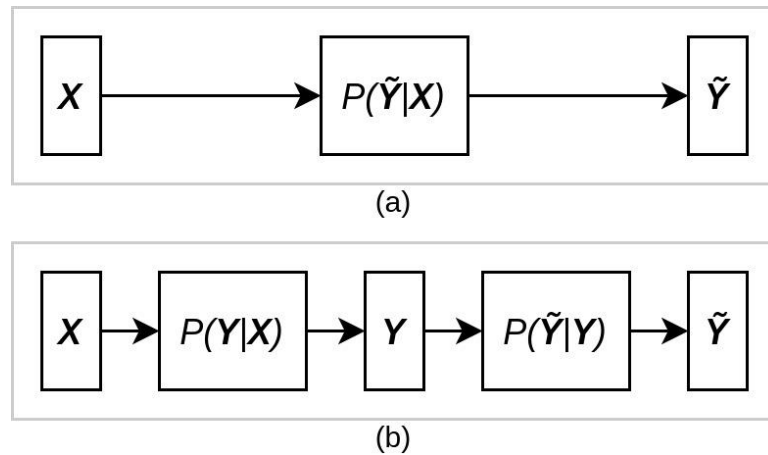
208 Figure 3. Example of how observed noisy dense labels differ from their corresponding
 209 true dense labels. A 16 x 16 pixel image is used for demonstration. The error matrix E is
 210 shown in the bottom right subfigure, indicating positions of noisy pixel labels.

211

212 The label noise process involves the *corruption* of clean labels (Fig. 4). In
 213 general learning schemes for building extraction, it is assumed that the observed labels
 214 are clean and are directly used for learning/evaluation (Fig. 4(a)). However,
 215 acknowledgement of label noise assumes the intermediary distribution of clean labels
 216 over the images to be the clean labels and models the label noise process as the
 217 distribution of observed noisy labels over the true clean labels (Fig. 4(b)), which means
 218 that when label noise is present, the ground truth clean labels are unobserved

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221

222 Figure 4. Observed label generation processes (a) Modeled without noise-free labels (b)
 223 Modeled through noise-free labels

224

225 Having defined the important concepts i.e. Y , \tilde{Y} and E , for modeling dense label noise
 226 processes, we move on to define the statistical dependencies for learning dense prediction
 227 (Fig. 5). There are two main models -

228

229 • *Pixel-wise models*: perform pixel classification using features from only the
 230 corresponding input pixels (Fig. 5). Therefore, changing tile sizes does not have
 231 significant effects if the same pixels are provided for training and testing
 232 because only pixel-wise mappings are learned; features from neighboring pixels
 233 are not considered. Without context, the rooftop of a building and a road may
 234 appear identical to the model. However, learning pixel-wise mapping is common
 235 in non-deep learning approaches to building extraction. Given, the input tensor
 236 \mathbf{T}^a and its dependent output tensor \mathbf{T}^b , the pixel wise models learn,

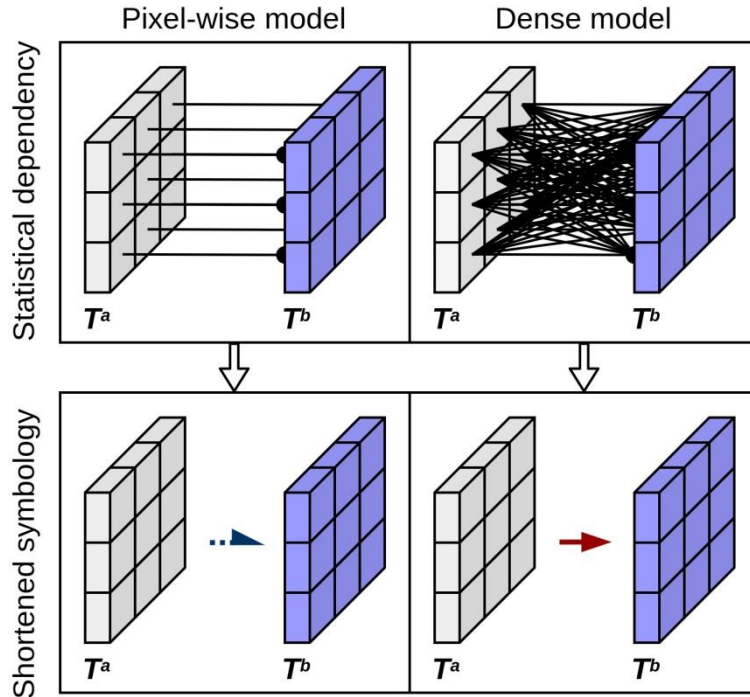
$$P(\mathbf{T}_{i,j}^b | \mathbf{T}_{i,j}^a) \quad (4)$$

237 • *Dense models*: generates labels for pixels using features from all pixels of the
 238 input tensor (Fig. 5). The model estimates each $P(\mathbf{T}_{i,j}^b | \mathbf{T}^a)$ and then uses the
 239 product chain rule to learn $P(\mathbf{T}^b | \mathbf{T}^a)$,

$$P(\mathbf{T}^b | \mathbf{T}^a) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\mathbf{T}_{i,j}^b | \mathbf{T}^a) \quad (5)$$

240 As Fig. 5 shows, we represent fully connected dense mappings using a red full
 241 red arrow with continuous line and pixel wise mappings using a blue half-arrow with
 242 dotted line.

243



244

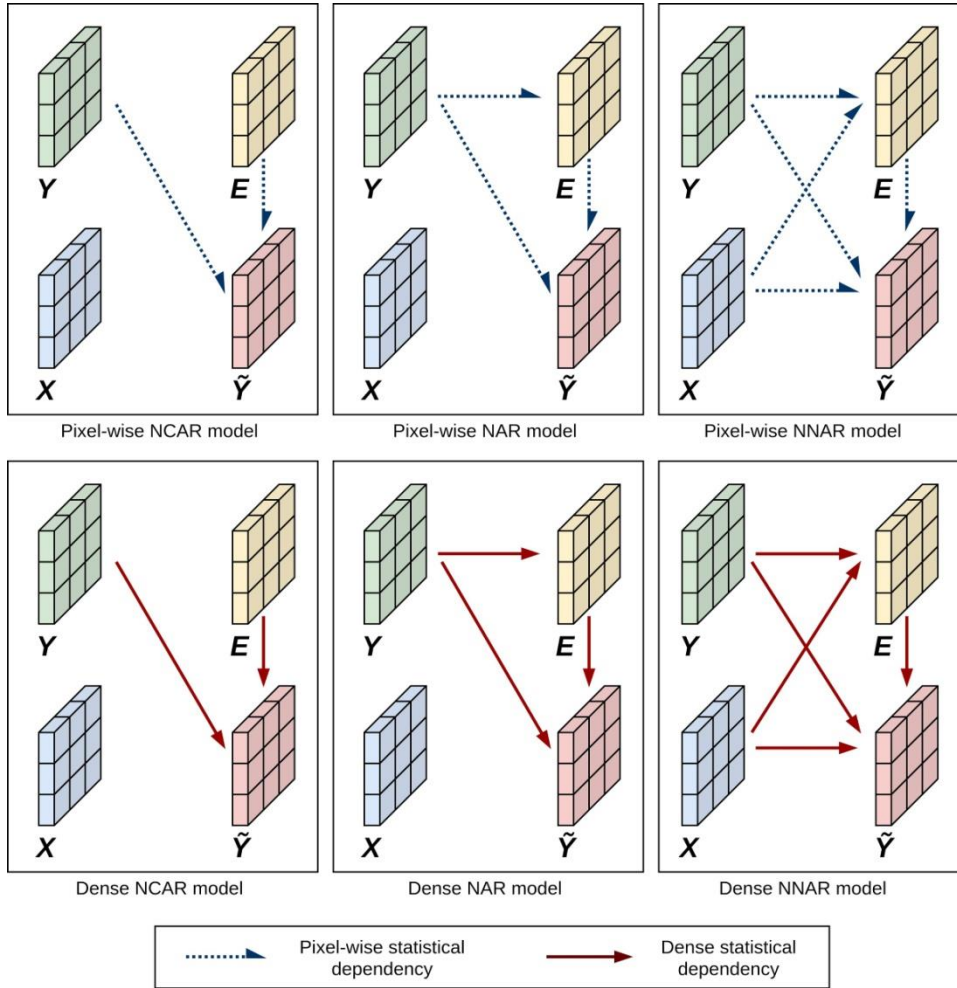
245 Figure 5. Shortened symbology of statistical dependencies considered in pixel wise
 246 models and dense models. In the pixel-wise model, each $T_{i,j}^b$ is only dependent on $T_{i,j}^a$.
 247 In the dense model, each $T_{i,j}^b$ is dependent on the the entire matrix T^a indicating fully
 248 connectedness.

249

250 ***Taxonomy of dense label noise models***

251 The three types of label noise in Fréney and Verleysen (2013) are categorized according
 252 to randomness. We refer to this approach as taxonomy characterized by randomness.
 253 However, in the context of dense prediction, structure (spatial information) in dense
 254 labels also plays a role in label noise processes. We define the taxonomy of dense label
 255 noise models. Given the two types of mapping models (pixel-wise and dense) and the
 256 three types of stochasticity defined label noise processes (NCAR, NAR and NNAR),
 257 there are six possible models (Fig. 6).

258



259

260 Figure 6. Statistical dependencies of different types of pixel based and dense label noise

261 models. The dependency between X and Y are not shown for brevity.

262

263 (1) *Pixel-wise NCAR model*: NCAR models are class independent, therefore the
 264 only noise parameters for a pixel-wise NCAR model would be the *probability of error*
 265 $p_e = P(\tilde{Y}_{i,j} \neq Y_{i,j})$. It is important to note that p_e is constant for all pixels, and
 266 therefore NCAR models cannot model non-uniform label noise. All $E_{i,j}$ would have the
 267 same values because the probability of a pixel being noisy is constant and not dependent
 268 on any variables. The error matrix E is completely independent (pixel-wise NCAR
 269 model in Fig. 6). For binary classification (which is our case for the pixel-wise models)
 270 having $p_e = 1/2$ would render the labels useless and inadequate to learn from (Angluin

271 and Laird, 1988). Furthermore, since NCAR models are class independent, asymmetric
 272 noise cannot be modeled as well. NCAR models assume that labels of all classes have
 273 equal chances of being observed as noisy labels. In real world settings, this is rarely the
 274 case. For example, in building extraction tasks, the positive class is much more prone to
 275 label noise. Furthermore, the positive class is also the minority class in most imbalanced
 276 building extraction datasets.

277

278 (2) *Pixel-wise NAR model*: NAR models are able to model asymmetric and non-
 279 uniform label noise processes. Each $\mathbf{E}_{i,j}$ is dependent on each $\mathbf{Y}_{i,j}$, which in turn affects
 280 each $\tilde{\mathbf{Y}}_{i,j}$ (pixel-wise NCAR model in Fig. 6). The probability of a specific label being
 281 observed as another label is modelled using the transition matrix (Lawrence and
 282 Schölkopf, 2001; Pérez et al., 2007). We define the *transition matrix* for noisy dense
 283 binary labels as

284

$$\boldsymbol{\gamma} = \begin{bmatrix} \gamma_{0,0} & \gamma_{0,1} \\ \gamma_{1,0} & \gamma_{1,1} \end{bmatrix}$$

285

$$= \begin{bmatrix} P(\tilde{\mathbf{Y}}_{i,j} = 0 | \mathbf{Y}_{i,j} = 0) & P(\tilde{\mathbf{Y}}_{i,j} = 0 | \mathbf{Y}_{i,j} = 1) \\ P(\tilde{\mathbf{Y}}_{i,j} = 1 | \mathbf{Y}_{i,j} = 0) & P(\tilde{\mathbf{Y}}_{i,j} = 1 | \mathbf{Y}_{i,j} = 1) \end{bmatrix} \quad (6)$$

286

287 The conditional probabilities in Eq. (6) can be estimated from the observed and
 288 corresponding clean labels. It is important to note that, the transition matrix is the same
 289 for all $\tilde{\mathbf{Y}}_{i,j}$ (and hence for all $\mathbf{Y}_{i,j}$). For uniform noise in dense binary labels, the
 290 transition matrix becomes

291

$$\boldsymbol{\gamma} = \begin{bmatrix} 1 - p_e & p_e \\ p_e & 1 - p_e \end{bmatrix} \quad (7)$$

292

293 (3) *Pixel-wise NNAR model*: In the case of NNAR models, the error matrix \mathbf{E} is
 294 dependent on the features as well (pixel-wise NNAR model in Fig. 6). The observed
 295 pixel label $\tilde{\mathbf{Y}}_{i,j}$ is dependent on $\mathbf{E}_{i,j}$ and $\mathbf{Y}_{i,j}$; if $\mathbf{E}_{i,j} = 1$, $\mathbf{Y}_{i,j}$ is flipped to get $\tilde{\mathbf{Y}}_{i,j}$,
 296 otherwise $\tilde{\mathbf{Y}}_{i,j} = \mathbf{Y}_{i,j}$. The probability of error is a function of the pixel-wise feature
 297 and pixel-wise true label,

298

$$p_e(\mathbf{X}_{i,j}, \mathbf{Y}_{i,j}) = P(\mathbf{E}_{i,j} = 1 | \mathbf{X}_{i,j} = x, \mathbf{Y}_{i,j} = y) \quad (8)$$

299

300 (4) *Dense NCAR model*: In the dense NCAR model, every $\tilde{\mathbf{Y}}_{i,j}$ is affected by the
 301 entire error matrix \mathbf{E} , and not just $\mathbf{E}_{i,j}$ (which is the case for the pixel-wise NCAR
 302 model). Spatial information about label noise in terms of context (as opposed to pixel-
 303 based information) can be modeled. Every $\mathbf{E}_{i,j}$ need not be constant; however, they are
 304 still completely independent (of each other and of any other random variable) and thus
 305 completely random (dense NCAR model in Fig. 4).

306

307 (5) *Dense NAR model*: The dense NAR model allows modeling asymmetric
 308 dense label noise, which is not possible using the dense NCAR model. Unlike the pixel-
 309 wise NAR model, the transition matrix for each $\tilde{\mathbf{Y}}_{i,j}$ can be distinct and independent of
 310 each other. The transition matrix for $\tilde{\mathbf{Y}}_{i,j}$ in a dense NAR model can be defined as

$$\boldsymbol{\gamma}^{(i,j)} = \begin{bmatrix} \gamma_{0,0}^{(i,j)} & \gamma_{0,1}^{(i,j)} \\ \gamma_{1,0}^{(i,j)} & \gamma_{1,1}^{(i,j)} \end{bmatrix} \quad (9)$$

311 The error matrix \mathbf{E} is directly dependent on the true dense label \mathbf{Y} (dense NAR
312 model in Fig. 6), but independent of the dense features \mathbf{X} .

313

314 (6) *Dense NNAR model*: In the dense NNAR model all pixels from the image
315 affect the probabilities of label noise in certain observed pixels (dense NNAR model in
316 Fig. 6). Every $\mathbf{E}_{i,j}$ is affected by the entire image tensor \mathbf{X} , and every $\tilde{\mathbf{Y}}_{i,j}$ is affected by
317 the entire error matrix \mathbf{E} . The error matrix can be estimated based on the observed dense
318 label $\tilde{\mathbf{Y}}$ and dense feature tensor \mathbf{X} . We essentially model the conditional distribution of
319 the error matrix \mathbf{E} , given the feature tensor \mathbf{X} and the observed dense label $\tilde{\mathbf{Y}}$ (Eq. (10)).
320 This estimated error matrix can then be used for generating the true labels using Eq. (1).

321

$$P(\mathbf{E} | \tilde{\mathbf{Y}}, \mathbf{X}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\mathbf{E}_{i,j} | \tilde{\mathbf{Y}}, \mathbf{X}) \quad (10)$$

322

323 **Materials and methods**

324 ***Data***

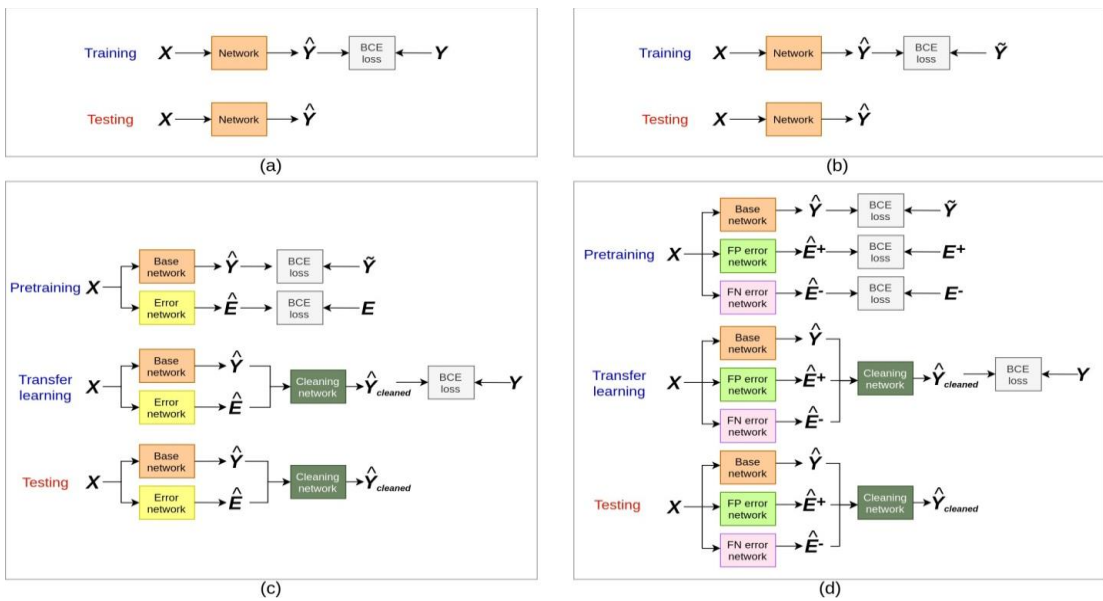
325 The dataset consists of 258 large 512x512 ultra-high-resolution aerial image tiles over
326 the Kutupalong mega camp collected by the United Nations International Organization
327 for Migration on September 17, 2018. Kutupalong is the largest of the camps,
328 comprised of several sub-camps, situated in the south-eastern border region of
329 Bangladesh which acted as the corridor for the Rohingya refugees migrating from

330 Myanmar. For our case, $n_h = n_w = 512$. The observed noisy labels are collected from
331 OpenStreetMap. The true clean labels are obtained by relabeling performed by the
332 authors. The dataset is randomly split in half for denoting training and testing data.
333 Images have three channels/bands — Red, Green and Blue — with a spatial resolution
334 of 10 cm. These images have very high data quality i.e. without cloud or shadow cover
335 being collected by low flying unmanned aerial vehicles (UAVs) and capture fine-
336 grained details of the physical environments where the buildings are located. The
337 general error matrices are computed using Eq. (2), whereas the FP and FN error
338 matrices are computed without taking the absolute value, rather using the signed/un-
339 signedness of the difference matrix. Our dataset is relatively smaller than most
340 commonly used datasets for building extraction (such as Massachusetts, Potsdam and
341 Vaihingen datasets), this is because we have had to re-label all of our training and test
342 data by hand for obtaining the noise-free true clean labels, which is very time-
343 consuming. Moreover, datasets for semantic segmentation/dense prediction with the
344 corresponding observed labels (with real-world label noise) and counterpart clean labels
345 are virtually non-existent. Our dataset is unique in that aspect, since, having access to
346 the observed noisy labels and clean labels is crucial for obtaining ground truth error
347 matrices (Eq. (1)). It is important to note that the error matrices are only required for
348 pretraining the dense label noise prediction models, during testing/evaluation the
349 models directly output building maps corrected by error matrices.

350 *Model frameworks*

351 The true clean dense label is solely dependent on the feature tensor in all six noise
352 models (caption of Fig. 6). The features (from satellite/aerial images), used for
353 approximating true labels, can be compared to the observed noisy label to obtain the
354 error matrix; the features have an important role in determining the observed label.

355 Therefore, the dense NNAR model is most suitable for expressing commonly observed
 356 registration errors. Currently, deep learning is the state-of-the-art system for automated
 357 building extraction (Vakalopoulou et al., 2015; Huang et al., 2016; Chen et al., 2017;
 358 Yuan, 2017; Yang et al., 2018; Ji et al., 2018; Xu et al., 2018; Shrestha and Vanneschi,
 359 2018; Boonpook et al., 2021; Sun et al., 2021). Fig 7(a) and 7(b) show the generally
 360 used learning systems for deep learning-based building extraction i.e. with clean labels
 361 (Fig. 7(a)) and with noisy labels (Fig. 7(b)). We propose two new models for automated
 362 building extraction, and consequently, two novel network architectures, where error
 363 matrices are approximated as an intermediate step (Fig 7(c) and Fig. 7(d)). As discussed
 364 later, we draw from the dense NNAR model in modelling our learning frameworks. The
 365 formulated dense noise models ultimately determine the architecture of the neural
 366 networks. The base network in Fig. 7(a) represents the statistical dependency between
 367 the feature and label tensors in the dense NNAR model (Fig. 6). Similarly, the error
 368 matrix network in Fig. 7(a) represents the statistical dependency between the feature
 369 and error matrix tensors in the dense NNAR model (Fig. 6). We elaborate on the model
 370 frameworks, network architectures, learning and evaluation approaches.



371

372 Figure 7. Training and testing approaches (a) With clean labels - control, CL model (b)
 373 With noisy labels - NL model (c) With intermediate error matrix approximation - I-EM
 374 model (d) With intermediate FP and FN error matrices approximation - I-FPFN-EM
 375 model; BCE - binary cross entropy; FP - false positive, FN - false negative

376 *Intermediate error matrix (I-EM) model*

377 The first proposed intermediate error matrix (I-EM) model approximates error matrices
 378 as an intermediate step of approximating building/non-building predictions. The noisy
 379 observed labels are learned by the base network in Fig. 7(c) approximated as the mean
 380 of the distribution in Eq. (11). The noisy observed labels are learned by the error
 381 network in Fig. 7(c) approximated as the mean of the distribution in Eq. (12). Finally,
 382 the outputs from the error matrix (EM) model and the observed label model are used
 383 together by the cleaning network in Fig. 7(c) to learn noise free label approximation in
 384 Eq. (13). Viewing the model framework from an end-to-end fashion in terms of testing
 385 indicates (Testing in Fig. 7(c)) in Eq. (14).

386

387

$$P(\tilde{\mathbf{Y}}|\mathbf{X}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\tilde{\mathbf{Y}}_{i,j}|\mathbf{X}) \quad (11)$$

$$P(\mathbf{E}|\mathbf{X}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\mathbf{E}_{i,j}|\mathbf{X}) \quad (12)$$

$$P(\mathbf{Y}|\tilde{\mathbf{Y}}, \mathbf{E}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(Y_{i,j}|\tilde{\mathbf{Y}}, \mathbf{E}) \quad (13)$$

$$P(\mathbf{Y}|\mathbf{X}, \mathbf{E}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(Y_{i,j}|\mathbf{X}, \mathbf{E}) \quad (14)$$

388 *Intermediate FP and FN error matrix (I-FPFN-EM) model*

389 The second proposed intermediate FP and FN error matrix (I-FPFN-EM) model
 390 approximates the FP and FN error matrices separately as an intermediate step of
 391 approximating building/non-building predictions. The noisy observed labels are learned
 392 by the base network in Fig. 7(d) approximated as the mean of the distribution in Eq.
 393 (11). The FP (false positive) error matrix is learned by the FP error network in Fig. 7(d)
 394 approximated as the mean of the distribution in Eq. (15). The FN (false negative) error
 395 matrix is learned by the FNM error network in Fig. 7(d) approximated as the mean of
 396 the distribution in Eq. (16). Finally, the outputs from the FP and FN error matrix
 397 models, and the observed label model are used together by the cleaning network in Fig.
 398 7(d) to learn noise free label approximation in Eq. (17). We refer to the FP error matrix
 399 model as the FP-EM model and the FN error matrix model as the FN-EM model.
 400 Viewing the model framework from an end-to-end fashion in terms of testing indicates
 401 (Testing in Fig. 7(d)) in Eq. (18).

$$P(\mathbf{E}^+|\mathbf{X}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\mathbf{E}_{i,j}^+|\mathbf{X}) \quad (15)$$

$$P(\mathbf{E}^-|\mathbf{X}) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(\mathbf{E}_{i,j}^-|\mathbf{X}) \quad (16)$$

$$P(\mathbf{Y}|\tilde{\mathbf{Y}}, \mathbf{E}^+, \mathbf{E}^-) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(Y_{i,j}|\tilde{\mathbf{Y}}, \mathbf{E}^+, \mathbf{E}^-) \quad (17)$$

$$P(\mathbf{Y}|\mathbf{X}, \mathbf{E}^+, \mathbf{E}^-) = \prod_{i=1}^{n_h} \prod_{j=1}^{n_w} P(Y_{i,j}|\mathbf{X}, \mathbf{E}^+, \mathbf{E}^-) \quad (18)$$

402 *Network architectures*

403 Each intermediate network has four downsampling blocks and four upsampling blocks.

404 We use vanilla U-Nets with approximately 0.5 million parameters for intermediate

405 learning steps. The U-Net/autoencoder architecture is common for building extraction

406 tasks (Wang et al., 2020; Guo et al., 2020). The use of step-wise concatenation of

407 models has been employed for building extraction (Shao et al., 2020). Each

408 downsampling block has two convolutional layers punctuated by a single dropout layer,

409 which is then downsampled to half the output row and column size using max pooling.

410 Each upsampling block also has two convolutional layers punctuated by a single

411 dropout layer, which is then upsampled to double the output row and column size using

412 interpolation. We use the binary cross entropy loss function as it is commonly used for

413 most binary building extraction tasks (Ahmed et al., 2020). For the I-EM model (Fig.

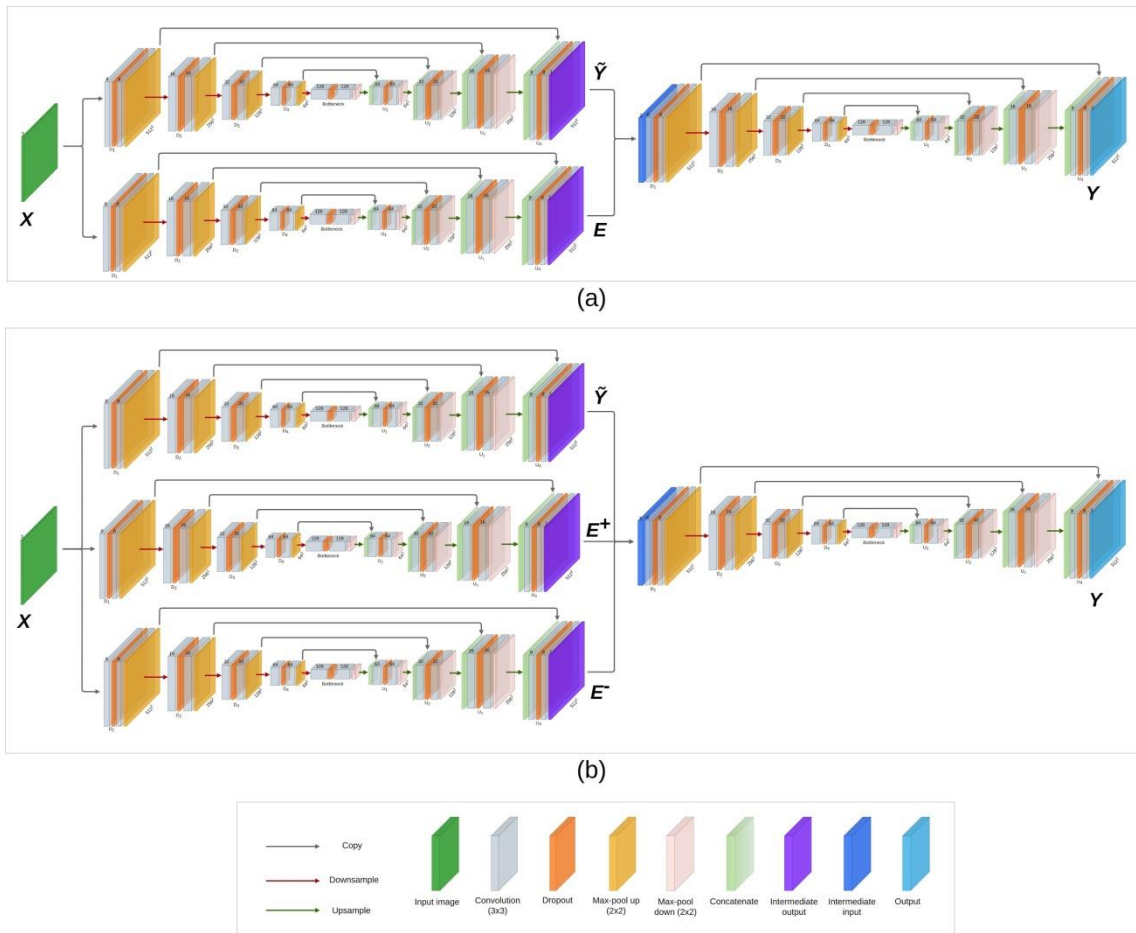
414 8(a)) the outputs of the base network and error network are concatenated and fed to the

415 cleaning network. For the I-FPFN-EM network the outputs of the base network, FP

416 error matrix network and FN error matrix network are all fed into the cleaning network.

417 Please note that intermediate predictions of observed labels and error matrices (general,

418 FP and FN) are in the form of soft pixel level labels i.e. they are not converted to hard
 419 labels based on threshold values. The I-EM model and I-FPFN-EM models have
 420 approximately 1.5 million and 2 million parameters respectively. S1 details the network
 421 architecture for NL, CL, EM, FP-EM and FN-EM models, Fig. S2 and Fig. S3 in
 422 supplementary material contains the detailed network architectures of the I-EM and I-
 423 FPFN-EM model respectively.



424

425 Figure 8. Proposed network architectures for building extraction under label noise (a) I-
 426 EM model (b) I-FPFN-EM model

427 *Learning*

428 The I-EM model and I-FPFN-EM model are trained in two steps.

- 429 • *Step 1 - Pre-training:* For learning the parameters of the base and error
430 networks. Individual auto-encoders with skip connections are trained. For the I-
431 EM model, the base network is trained using the images \mathbf{X} as features and $\tilde{\mathbf{Y}}$ as
432 targets, the error network is trained using the images \mathbf{X} as features and \mathbf{E} as
433 targets. For the I-FPFN-EM model, the base network is also trained using the
434 images \mathbf{X} as features and $\tilde{\mathbf{Y}}$ as targets, the FP error network is trained using the
435 images \mathbf{X} as features and \mathbf{E}^+ as targets, and the FN error network is trained
436 using the images \mathbf{X} as features and \mathbf{E}^- as targets.
- 437 • *Step 2 - Transfer learning:* After the base networks and error networks (general
438 for I-EM; FP and FN for I-FPFN-EM) are trained, their outputs are concatenated
439 and fed into the cleaning networks. In order to train the cleaning network, the
440 layers in the base and error networks are frozen i.e. they are set as non-trainable.
441 In this second step of training, the entire network is trained in an end-to-end
442 fashion against clean labels.
- 443
- 444 The baseline CL model and NL model both have approximately 0.5 million parameters.
445 The I-EM model and I-FPFN-EM models have approximately 1.5 million and 1.5
446 million parameters respectively. This larger number of parameters are due to the error
447 matrix networks and the cleaning networks used in the I-EM model and the I-FPFN-EM
448 models. The general error matrix sub-model in the I-EM model, and each of the false
449 positive error matrix model and the false negative error matrix models all have
450 approximately 0.5 million parameters. The time complexity of the I-EM model and I-
451 FPFN-EM model are also increased proportional to the increase of number of
452 parameters with respect to the CL and NL models. The total time needed for training the

453 sub-models of the I-EM model is triple that of the CL or NL models, and the total time
454 needed for training the I-FNFN-EM models is quadruple that of the CL or NL models.

455 ***Method comparison***

456 In order to assess the qualitative and quantitative advantages/disadvantages of our two
457 proposed models, we also compare against generally used model frameworks for
458 automated building extraction. We compare four different deep learning-based building
459 segmentation models,

460

461 (1) Noisy label (*NL*) model (Ahmed et al., 2020): Dense building extraction with
462 noisy labels.

463 (2) Clean label (*CL*) model (Ahmed et al., 2020): Dense building extraction with
464 clean labels (control).

465 (3) *I-EM model*: The first proposed model described above.

466 (4) *I-FNFN-EM* model: The second proposed model described above.

467

468 Other than the CL and NL models in Ahmed et al., (2020), no other study
469 presents dataset/methods for dense prediction of label noise using clean and noisy labels
470 with real world noise. The threshold value determines the boundary value and
471 consequently the binary class label of each pixel. We vary the threshold for each model
472 with low (0.25), medium (0.5) and high (0.75) values to convert the soft labels (between
473 0 and 1 inclusive) to hard labels (0 or 1).

474 ***Performance evaluation metrics***

475 We calculate the total number of true positives (TP), true negatives (TN), false positive
476 (FP) and false negative (FN) predictions on the approximately 33 million pixels of

477 testing data. Concurring to most building extraction scenarios, our dataset is also quite
 478 imbalanced, being negative heavy. Therefore, we calculate the precision (Eq. (19),
 479 recall (Eq. (20)), F1-score (Eq. (21)) and Intersection-over-Union (*IoU*) (Eq. (22)).

480

$$Precision = \frac{TP}{TP + FP} \quad (19)$$

481

$$Recall = \frac{TP}{TP + FN} \quad (20)$$

482

$$F1 - score = \frac{2TP}{2TP + FP + FN} \quad (21)$$

483

$$IoU = \frac{TP}{TP + FP + FN} \quad (22)$$

484

485 **Results and discussion**

486 *Quantitative evaluation of performance*

487 The CL model provides the control/baseline against which we compare our two
 488 proposed models since it represents the ideal scenario when the investigator has access
 489 to both images and clean labels. Our I-FPFN-EM model at 0.5 medium threshold (row
 490 no. 11 in Table 2) has the highest *IoU* score (0.78514), which provides a gain of 2.74%
 491 over the traditional CL model trained on clean labels (0.75768) and a gain of 25.65%
 492 over the observed noisy labels with *IoU* score of 0.52857. Similarly, our I-FPFN-EM
 493 model at 0.5 threshold has the highest F1-score (0.87964), which provides a gain of

494 1.75% over the traditional model trained on clean labels with an F1-score of 0.86214,
 495 and gain of 18.8% over the observed noisy labels with an F1-score of 0.69159.
 496 Compared to the idealistic CL model, our I-FPFN-EM model has a better F1-score and
 497 *IoU* score for high threshold value (0.75) as well, and has comparable/nearly identical
 498 performance for low threshold value (0.25). At a threshold value of 0.75, the I-FPFN-
 499 EM model (row no. 12 in Table 2) has an F1-score of 0.86009 which is 3.45% higher
 500 than the F1-score of the CL model (0.8255) at a threshold value of 0.75. The I-FPFN-
 501 EM model at a threshold value of 0.75, achieves an *IoU* score of 0.75453, providing a
 502 gain of 5.16% over the CL model with an *IoU* score of 0.70285, at a threshold value of
 503 0.75. Our I-FPFN-EM model provides better performance over traditional methods, for
 504 the general threshold of 0.5 and the high threshold of 0.75.

505

506 The I-EM has slightly poorer/comparable performance to the CL model. This
 507 indicates the importance of differentiating FP and FN error matrices as features, instead
 508 of approximating an intermediate general error matrix, since that is the primary
 509 conceptual difference between the I-EM model and I-FPFN-EM model. A lower
 510 threshold means higher recall and lower precision. A higher threshold means higher
 511 precision and lower recall. The threshold value determines the precision recall trade-off.
 512 However, both the I-EM and I-FPFN-EM models have much higher recall and slightly
 513 lower precision for corresponding threshold values when compared to the CL model. In
 514 our case of highly imbalanced data, higher recall is preferred over higher precision.

515

516 Table 2. Performance of the four compared models for building extraction under label
 517 noise and the fidelity of observed labels

No.	Model	Threshold	Precision	Recall	F1-score	IoU
-----	-------	-----------	-----------	--------	----------	-----

1	NL	0.25	0.79584	0.82862	0.8119	0.68336
2		0.50	0.91337	0.56184	0.69572	0.53342
3		0.75	0.98292	0.0948	0.17291	0.09464
4	CL	0.25	0.79586	0.91111	0.84959	0.73851
5		0.50	0.88502	0.84041	0.86214	0.75768
6		0.75	0.93973	0.73603	0.8255	0.70285
7	I-EM	0.25	0.74541	0.93536	0.82965	0.70889
8		0.50	0.84473	0.85928	0.85194	0.74207
9		0.75	0.89968	0.76947	0.8295	0.70867
10	I-FPFN-EM	0.25	0.76109	0.94634	0.84366	0.7296
11		0.50	0.86551	0.89424	0.87964	0.78514
12		0.75	0.92819	0.80131	0.86009	0.75453
13	OBSERVED	-	0.82165	0.59708	0.69159	0.52857

518

519

Separated error matrices in the form of FP error matrix and FN error matrix is

520

crucial to surpassing the baseline CL model performance, as our I-EM model has

521

significantly poorer quantitative performance compared to the I-FPFN-EM model.

522

Comparing the I-EM model and the I-FPFN-EM model performances at the three

523

threshold values, the I-FPFN-EM model provides an F1-score increase of 1.4%

524

(0.84366 compared to 0.82965) and *IoU* score increase of 2.071% (0.7296 compared to

525

0.70889) at a threshold value of 0.25, F1-score increase of 2.77% (0.87964 compared to

526

0.85194) and *IoU* score increase of 4.307% (0.78514 compared to 0.74207) at a

527

threshold value of 0.5 and F1-score increase of 3.059% (0.86009 compared to 0.8295)

528 and IoU score increase of 4.586% (0.75453 compared to 0.70867) at a threshold value
529 of 0.75.

530

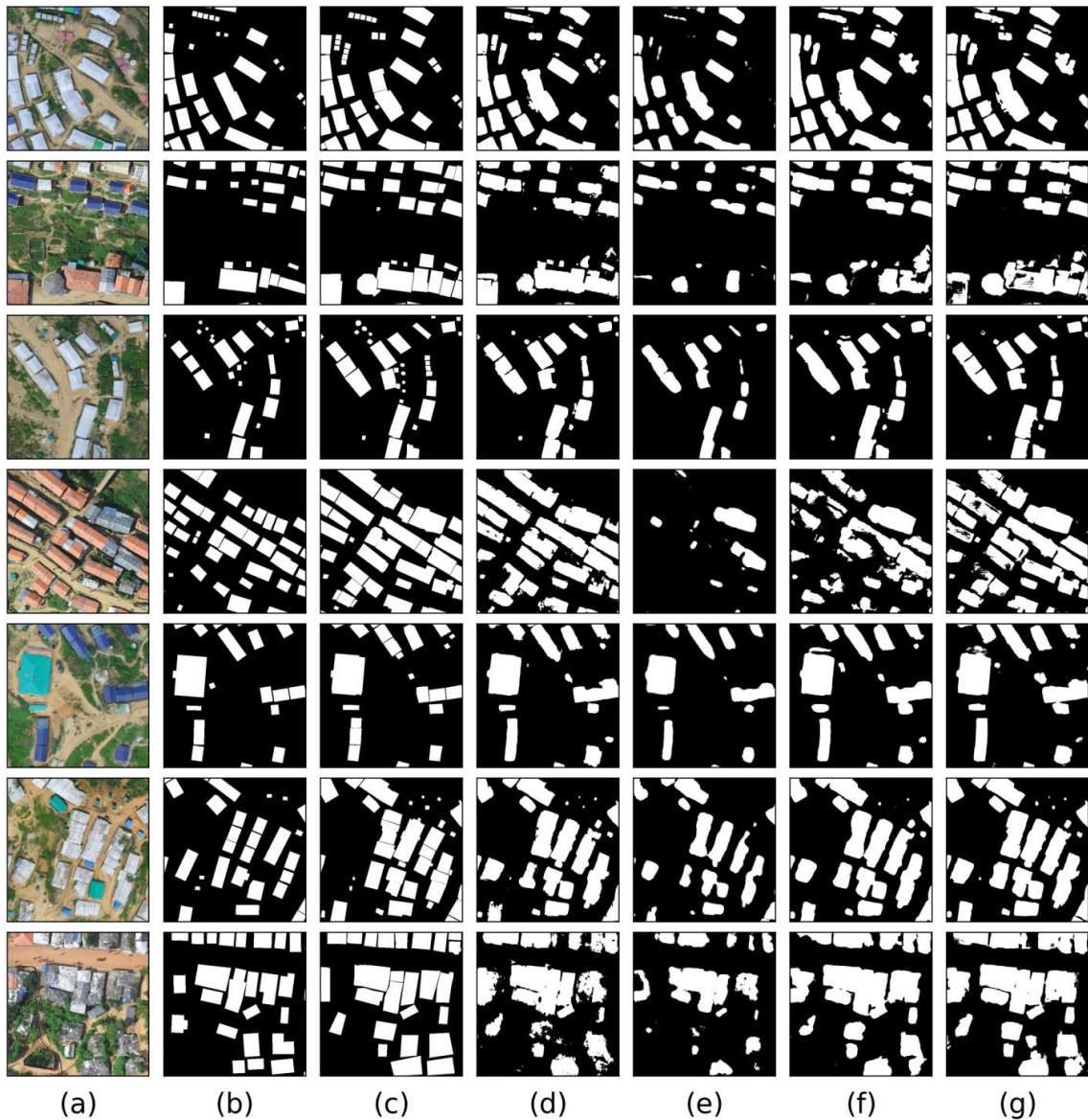
531 The traditional model trained against noisy labels (NL model), quite obviously
532 has the poorest performance of the four tested models (row no. 1-3 in Table 2). At high
533 threshold values (0.75) the NL model (row no. 3 in Table 2) predictions become
534 practically useless, yielding an F1-score of 0.17291 and IoU score of 0.09464, whereas
535 the CL, I-EM and I-FPFN-EM model have much better performance at a high threshold
536 value of 0.75. The fidelity of noisy labels is also evaluated against the true clean labels
537 (row no. 13 in Table 2). Though the NL model has the poorest performance among four
538 tested models, predictions from the NL model have higher fidelity than the observed
539 labels with real world noise. This is commonly observed for building extraction under
540 real-world noisy conditions (Ahmed et al., 2020).

541 ***Qualitative evaluation***

542 From a qualitative viewpoint, the predictions from the four models seem quite similar
543 prior to intensive inspection and photo-interpretation. We show some examples of
544 predictions on image tiles from the test set (Fig. 9). The CL model predictions (Fig.
545 9(d)) have the best qualitative properties, followed by the I-FPFN-EM model
546 predictions (Fig. 9(g)) which sometimes suffers from salt and pepper noise (all
547 predictions in Fig. 9 were made at a threshold value of 0.5 and can be remedied using
548 lower threshold values). Particularly, the I-FPFN-EM model predictions and I-EM
549 model predictions (Fig. 9(f)) for buildings with rare colored roofs (orange painted
550 corrugated metal roofs) contain salt and peppering. Rare colored building rooftops can
551 be challenging to learn due to the comparatively small number of examples in the
552 training set. The NL model predictions completely miss out on entire buildings with

553 orange-colored rooftops (Fig. 9(e)). The last row in Fig. 9 shows the issues of one-
 554 storied building rooftops being obstructed partly or completely by vegetation. Building
 555 rooftops obstructed by trees and vegetation are not easily detected, as the vegetation
 556 over the rooftop is easily confused as non-building regions by the models (last row in
 557 Fig. (9)). However, for buildings with vegetation on the rooftops, the I-FPFN-EM
 558 model provides less peppering and errors compared to even the CL model (last row in
 559 Fig. (9))

560



561

562 Figure 9. Examples of building predictions made by different models (a) Image (b)
563 Noisy label (c) Clean label (d) Predictions from CL model (e) Predictions from NL
564 model (f) Predictions from I-EM model (g) Predictions from I-FPFN-EM model

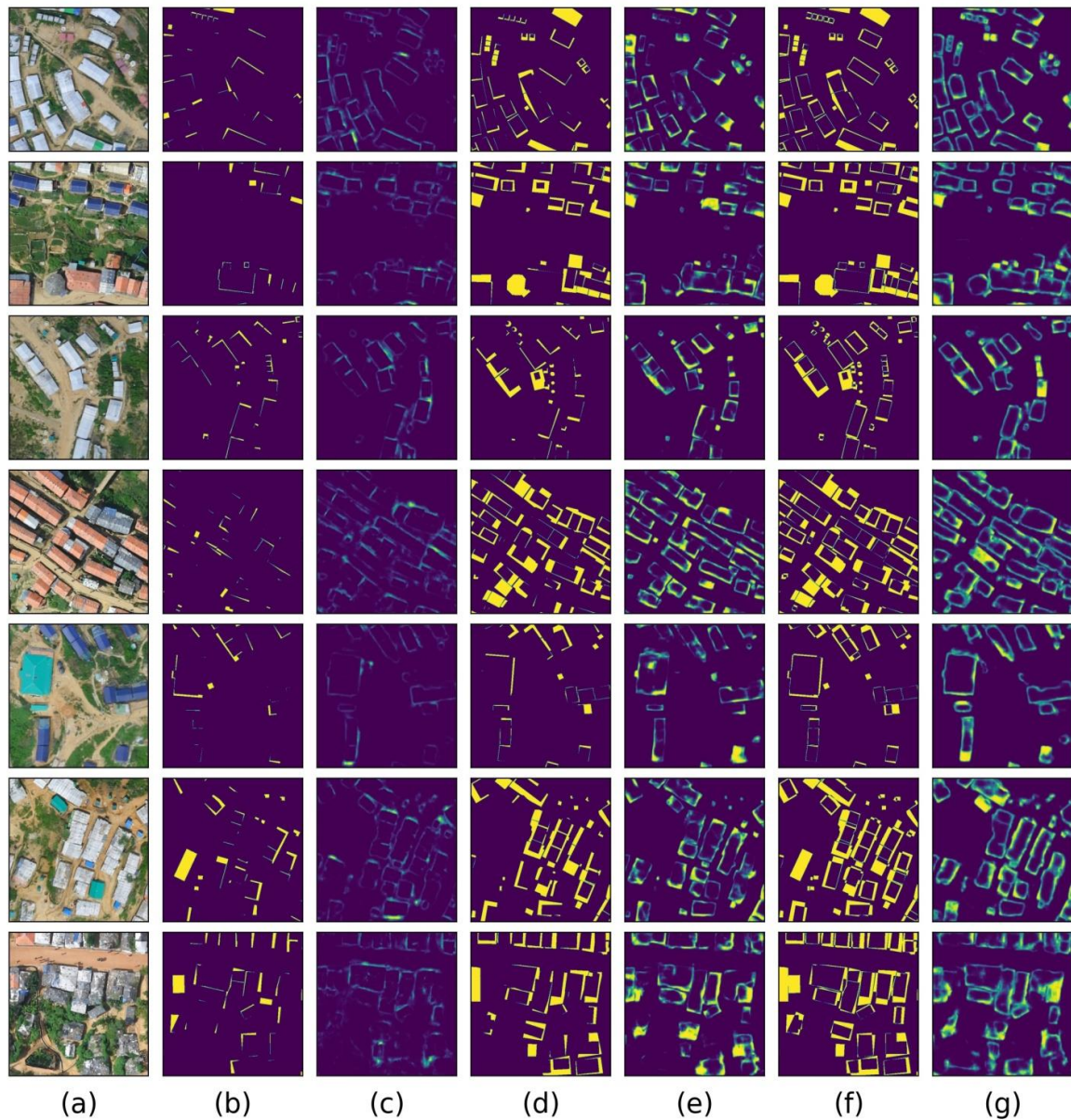
565 Some examples of error matrices predicted during the intermediate step are
566 shown in Fig. 10. The error matrices are sparse, and weakly correlated to the images as
567 the real world label noise can be random at times. However, they can provide insights
568 about location having higher probabilities of being mislabeled. The ground truth FP
569 error matrix is shown in Fig. 10(b) and the predicted FP error matrix is shown in Fig.
570 10(c). FP pixels are usually pixels adjacent to the clean building label boundary, but
571 falling outside the boundary; this intuition is captured by the FP error matrix model as
572 indicated by the predictions in Fig. 10(c). i.e. the regions adjacent to actual/clean
573 boundaries have higher activations than other regions in the images, and thus have a
574 higher probability of being an observed FP pixel. The predicted FP error matrix (non-
575 thresholded) provides a heat map indicating the probability of each observed positive
576 pixel label actually being true negative pixels.

577 FN pixels are less sparse than FP pixels since a major source of label noise in
578 building extraction datasets comes from omitted/missed out buildings and shrunk label
579 polygons. Fig. 10(d) shows the actual FN error matrix and Fig. 10(e) shows the
580 predicted by the FN error matrix model. FN pixels are pixels within the clean building
581 boundaries which are observed as non-building in the noisy labels, therefore regions in
582 close proximity to the clean building boundaries but on the inner side have the highest
583 probability of being observed as FN pixels, this is shown in Fig. 10(e). It is interesting
584 to note that all pixels with significantly high FP error matrix activations lie outside and
585 adjacent to the clean building boundaries whereas all pixels with significantly high FN
586 error matrix activations lie inside the clean building boundaries; the modeling intuition

587 is expressed in the qualitative results.

588

589



590

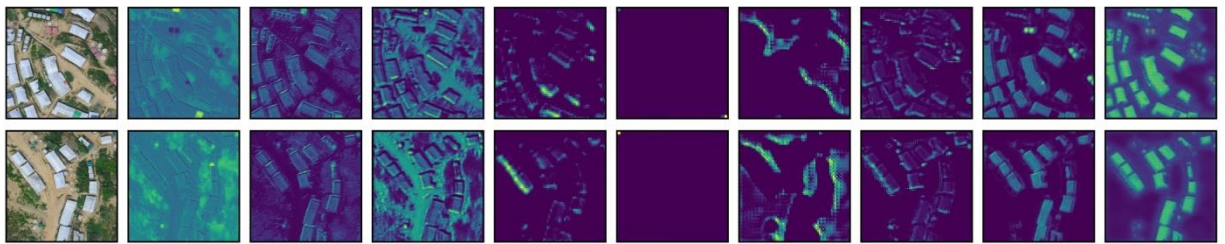
591 **Figure 10.** Examples of error matrix predictions (a) Image (b) FP error matrix (c)

592 Predicted FP error matrix (d) FN error matrix (e) Predicted FN error matrix (f) General

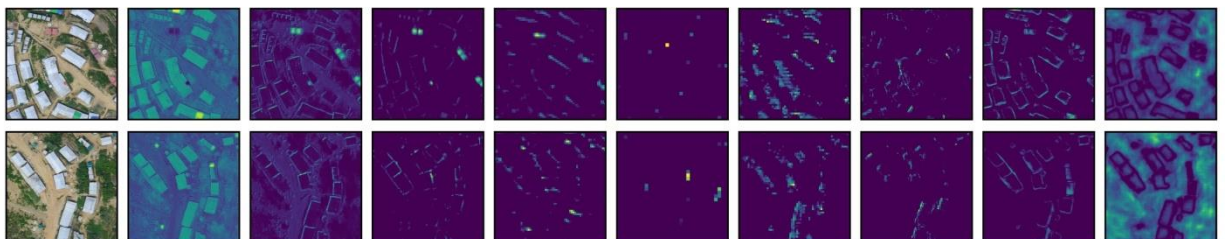
593 error matrix (g) Predicted general error matrix

594 The general error matrix predictions are shown in Fig. 10(f) and the predicted
 595 general error matrix predictions are shown in Fig. 10(g). Among the three types of error
 596 matrices (general, FP and FN) the general error matrices are least sparse, since they are
 597 the element wise addition of the FP and FN error matrices. The extra information
 598 provided by separated FP and FN matrices are crucial to approximating useful noise
 599 features. Experimental results on our dataset confirm this statement. The I-EM model
 600 results are poorer than the CL model (albeit providing higher recall values at all
 601 thresholds) qualitatively and quantitatively (in terms of F1-score and IoU score on the
 602 independent test set). The predicted intermediate observed label also affects the
 603 predicted true label. The outputs of hidden blocks of different models are shown in Fig.
 604 11, feature maps for learning error matrices (Fig. 11(b), 11(c), 11(d) are quite different
 605 from feature maps for learning base level building extraction (Fig. 11(a)). The
 606 activation maps in Fig. 11 are outputs of the blocks for each model architecture. The
 607 first feature map for each output is shown. The block outputs in Fig. 11 (U_1 - U_4 , the
 608 bottleneck and D_1 - D_4) show discriminative properties of the learned mappings in terms
 609 of resolution and separability.

610

611
612

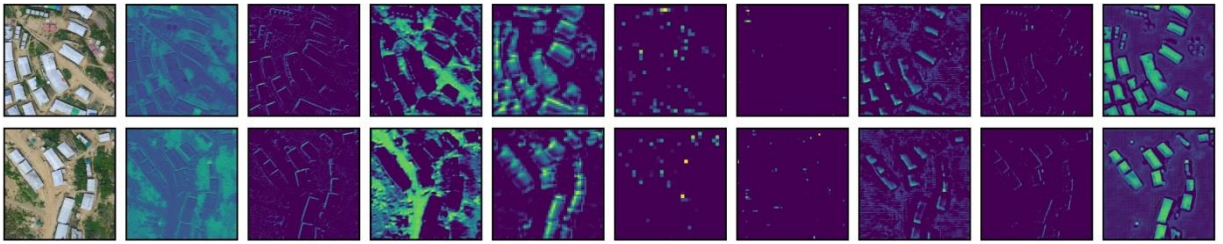
(a)



613

614

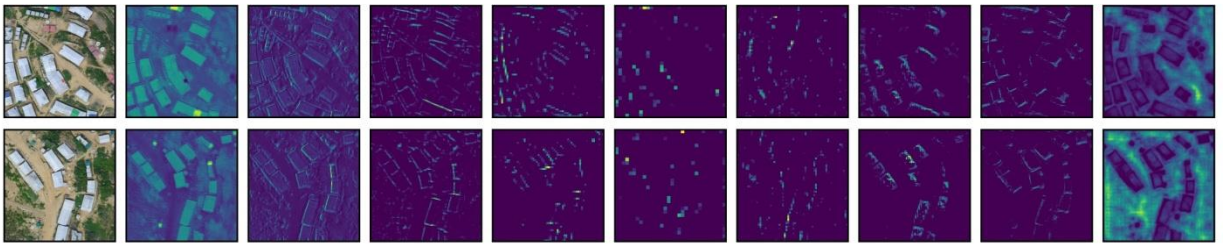
(b)



615

616

(c)



617

618

Image

 D_1 D_2 D_3 D_4

Bottleneck

 U_1 U_2 U_3 U_4

(d)

619 Figure 11. Outputs learned by hidden convolutional layers for building extraction and
 620 for error matrix approximation. (a) Clean label network (b) Error network (c) FP error
 621 network (d) FN error matrix network

622 Conclusion

623 In this work, we have provided a comprehensive taxonomy of label noise, in which the
 624 six formulated label noise models can be used to express any kind of label noise in
 625 building extraction tasks. Dense models are more apt than pixel-wise models for
 626 building extraction. We propose two new model frameworks for dense prediction based
 627 building extraction under label noise. The first model approximates the general error
 628 matrix as an intermediate step, but has poor performance improvements compared to the
 629 clean model. However, approximating the FP error matrix and the FN error matrix
 630 separately greatly improves performance over the idealistic scenario presented in the
 631 form of the CL model. Therefore, it is important to model the false positives and false
 632 negatives independently rather than using a general model for both types of pixel-level
 633 observed labels. Label noise in most building extraction cases is asymmetric, as also

634 observed for our case; there is a massive imbalance in the pixel-level label noise i.e.
635 there are much more false negatives than false positives. Therefore, a general model is
636 not sufficient in modeling the FP and FN noise processes to a degree that can aid the
637 larger task of noise-free building extraction. Qualitative results show that the error
638 matrix models (FP, FN and general) all capture the intuition behind the model
639 framework. The FP error matrix dense model has higher activations for regions right
640 outside and adjacent to the actual clean building boundaries. Similarly, FN error matrix
641 dense model has higher activations for regions inside and adjacent to the actual clean
642 building boundaries. Clean labels and corresponding observed labels with real-world
643 label noise are rarely available in conjunction with each other, which are essential for
644 obtaining the error matrices outlined in our proposed methodologies, and thus limit the
645 applicability.

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648 University, Bashundhara, Dhaka 1229, Bangladesh.

649 **Disclosure statement**

650 No potential conflict of interest was reported by the authors.

651 **Data and Codes Availability Statement**

652 The data and codes that support the findings of this study are available at dedicated
653 GitHub repository (<https://github.com/nahian-ahmed/dense-label-noise>).

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