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ABSTRACT

The aim of this paper is to investigate the effect of the change in structural weight due to optimisation experiments on life-cycle cost and earning elements using the life-cycle cost/earning model, which was developed for structure optimisation. The relation between structural variables and relevant cost/earning elements are explored and discussed in detail. The developed model is restricted to the relevant life-cycle cost and earning elements, namely production cost, periodic maintenance cost, fuel oil cost, operational earning and dismantling earning. Therefore it is important to emphasize here that the cost/earning figure calculated through the developed methodology will not be a full life-cycle cost/earning value for a subject vessel, but will be the relevant life-cycle cost/earning value. As one of the main focuses of this paper is the maintenance/repair issue, the data was collected from a number of ship operators and was solely used for the purpose of regression analysis. An illustrative example for a Chemical Tanker is provided to show the applicability of the proposed approach.

Keywords: Production, Periodic Maintenance/Repair, Life-Cycle Cost/Earning, Net Present Value, Regression Analysis, Scantling Optimisation

INTRODUCTION

This research was initiated with the idea of developing a methodology/framework to be able to assess the life-cycle cost/earning of production and maintenance/repair with respect to the structural optimisation variables, mainly scantlings and its derivative lightweight, to be used during the conceptual ship design stage. It is a fact that changes in scantlings might have a big cost impact on production and maintenance/repair because of increasing/decreasing steel weight. In general, lighter weight and smaller plate thickness may possibly mean more extensive steel replacement unless a proper hull maintenance strategy is adopted. This can also lead to longer dry-docking times and thereby increasing costs in terms of the cost of dry-docking and the cost of the ship being unavailable for use. However, heavier lightship also means heavier displacement and hence a higher fuel cost or smaller deadweight capacity, and hence lower operational income. It is important to know and assess this impact at the earliest phase of a ship’s life-cycle for many reasons such as evaluation and comparison of alternative designs, identification of main cost drivers, and maintenance planning etc. Assessing production cost is a straightforward calculation and a well-studied area in literature [Ross 2004; Ross and Aasen 2005; Bole 2006, 2007; Miroyannis 2006; Keulen et al 2007]. However, assessing the maintenance/repair cost of a ship during the design stage requires a life-cycle prediction in terms of the amount of steel to be replaced and the amount of time the ship is unavailable in the drydock. Therefore, history and past data relating to a ship type become vital and critical.

Ships as a part of the marine transportation system are crucial assets of the supply chain. Availability of these assets is extremely important, as downtime of ships is costly both due to
income loss of a ship and due to the knock down effect on the rest of the transportation system. Availability of ships depends on the effectiveness of the preventive maintenance system. Observations in the current state of ship operation can be listed as:

- High life-cycle costs, particularly maintenance costs; maintenance activities can account for as much as 25-35% of an operator's direct operating costs and have remained at this level for many years. Furthermore, with the increase in oil prices, the budgets have gone up by an additional 25% more (plus world inflation) in the last 6 years and therefore operators try to cut the operational cost by other means including maintenance cost.

- Ships, which are not maintained or monitored properly, pose a risk to the environment as well as to the cargo and people onboard.

- In the case of corrective maintenance implemented, it usually leads to expensive repairs, significant loss of time/off hire periods and a decrease in the ship’s credibility. On the other hand, preventive maintenance may create an ‘over-maintained’ policy, in which the ship’s components/items are replaced before the end of their operational life, thus leading to the accumulation of unnecessary and expensive spare parts/inventories.

- Expenses related to frequent inspections (including spare parts, attendance from company’s personnel and classification society’s surveyors, temporary or permanent measures implemented) may constitute a big portion of the total maintenance expenditure. When repair works/spare parts are needed on board the vessel, they have to be planned well in advance as the ship sails in different geographical locations, thus with significant functional/access restrictions.

- Seafarers are occupied with various tasks to fulfil both from operational and maintenance points of view while the ship is trading in busy -and in some cases- short distance routes. Consequently there is no onboard resource (technical and human) management system to deal with these types of activities. Nowadays, the time spent on board the ship by the crew is reduced and the compilation of the crew members changes more often than before. Consequently, there is a need for a standard, well understood approach to the maintenance followed.

- Moreover, the lately implemented on-line maintenance reports from the ship to the onshore headquarters of a shipping company/operator, requires well trained personnel and the application of user friendly software platforms. Data gathering, censoring and dissemination require an amount of human and technical resources, which are difficult to manage and operate simultaneously. It is common the fact that accumulating data are stored without being converted into accessible information, which in practice renders them useless.

- Ship managers/operators still try to find an effective way to combine the rich practical knowledge acquired in the actual marine field with the technological advances stemming from the relevant information technology sector. It should be noted that the key point is to identify the essential information and decide which maintenance attitude is the most efficient to follow.

- Further delays occur from a shortage in efficient communication between the ship’s owner/manager, the shipyard and the supplier so as to plan the repair and maintenance process. In this case, ships may have to wait in the repair shipyard alongside the quay or in the anchorage before any inspections are performed.

- Operators clearly indicate that the availability of the ship is extremely important for sustainable/robust transportation services.

Although there is not a standard taxonomy for life-cycle cost (LCC) breakdown in the maritime industry and its relevant literature, the following will be used in this study which is adopted from
Stopford [Stopford 1997]. It should be noted that in the present study, the focus is on Tanker ships (see illustrative example) and some of the formulas such as steel replacement due to repair is valid for tankers only.

**Acquisition costs**
- Design
- Production

**Ownership costs**
- Operating Costs,
  - Personnel
  - Routine maintenance and repair which doesn't make ships unavailable
  - Insurance
  - Stores, lubricants and supplies
  - Administration or Management
- Periodic maintenance which makes ships unavailable
- Voyage costs
  - Fuel
  - Canal dues
  - Port charges
- Cargo handling costs

**Earning breakdown**
- Operational earning
- Dismantling earning

In the LCC calculation of this study, consideration will be given only to relevant costs and earnings which are directly or indirectly affected by the design options being considered with respect to structural variables. The following explanations are for that purpose.

Amongst the cost/earning elements given above, the following are considerably affected by the changes in structural variables, either scantlings or lightweight:
- Production cost
- Periodic maintenance cost
- Fuel oil cost
- Operational earning and
- Earning of dismantling

The relation between each element and the aggregative cost model is given in Section 3 in detail. It is apparent that more steel weight means more production cost in terms of material and labour costs, and also more dismantling earning. Similarly less steel weight indicates less fuel consumption and vice versa. The assumptions made for maintenance/repair, are given below.

**MAINTENANCE AND REPAIR**

According to Watson [Watson 1998]: “budgets for maintenance will generally include sums for work on the hull and superstructure, cargo spaces and systems, the main and auxiliary machinery, the electrical installation and safety equipment plus survey fees”.

3
Maintenance activities of a ship can be classified into two main categories: The first category (routine maintenance and repair) consisting of regular or routine checks and services that can be performed every day without disturbing the ship’s operations, the second category (periodic maintenance) is the major maintenance which requires dry-docking and makes the ship unavailable or off-hire. The second category will be considered in the development of the maintenance cost/earning model. Therefore data collection activity was focused on this area.

It would be important to give the seminal descriptions of these two maintenance types as stated in Stopford [Stopford 1997];

• “Routine maintenance and repair includes maintaining the main engine and auxiliary equipment, painting the superstructure and carrying out steel renewals in such places which can be safely accessed” (i.e. small brackets/stiffeners on hatch coaming stays around cargo hold openings of bulk carriers).

• “Periodic maintenance costs are incurred when the ship is dry-docked for major repairs, usually at the time of its special survey. In older ships this may involve considerable expenditure, so shipping companies often include a ‘dry-docking provision’ in their operating costs. Since this is a provision rather than a cash item it is better treated separately from operating costs”.

The reader is also referred to [Yamamoto and Ikegami 1996; Qin and Cui 2002, 2003; Garbatov et al 2005; Paik et al 2006; Paik and Thayamballi 2008], for common causes/effects of corrosion and the most widely used corrosion rate prediction models.

This paper presents the development of a life-cycle cost/earning model, which is production and maintenance/repair oriented, to be used in ship structure optimisation during conceptual design stage.

The rest of the paper is organised as follows. Section 2 explains the data collection activity. In Section 3, the development of a relevant life-cycle cost/earning model to be used within the structural optimisation is introduced and the details of this new technique are given. In Section 4, an illustrative example is given for a Chemical Tanker. Finally, the deliverable concludes the work with future recommendations.

**DATA COLLECTION**

The aim of this section is to present the data collection during the visits to various shipping/managing companies regarding their past repair activities for the ships which were unavailable due to their dry-docking period. This was carried out in two ways. At first, a detailed questionnaire was prepared concerning the survey for the unavailability and repair of ships. The objectives were to gather failure and repair data, which could be expressed in either a quantitatively or qualitatively format. The second way was also through the previously mentioned contacts in order to collect data regarding the repairs and unavailability of the ships during their dry-docking activities. In the second method there was no specific questionnaire but involved just collection of existing reports and data.

The data structure provided by the operators would mention the failures that render the ship unavailable, their repair activities and the unavailability period over the ship’s operating time and other pertinent issues. More specifically, initial data gathering included: the main dimensions and characteristics of the vessel(s) that were selected for the survey, description of the failure and repair data, maintenance and repair practices followed by each operator (i.e. maintenance/repair policy implemented, diagnostic tools used, specialised software in place, etc).
Following data structure was proposed for the operators to provide the data concerning failures that make the ship unavailable for operations and their repair activities over the ship’s operating period. It should be emphasized that the following data needed to be provided for the failure (causing unavailability of ship) and its corresponding repair work. Besides, a guideline report was prepared and sent to the shipping operators so as to facilitate the ship’s data collection.

After the initial version of the data gathering report, a second one was distributed to the operators so as to facilitate the whole procedure even more. It contained a more practical orientated course of action so as to maximize the efficiency of data collection bearing in mind the limited amount of time that a ship operator might afford during the usual everyday workload. In total, data from 100 different ships were collected including oil, product and chemical tankers, LPG’s, bulk carriers, general cargo ships, RoRo and RoPax and passenger vessels. From all these ships, 145 different repair events and 225 unavailability events were also collected. In the present study, the data only relevant to tanker ships are considered for the analysis (See Appendix I: Tables 1 and 2 present the relevant part of collected data for tanker ships).

The main aim of this work was to know about:

- Costs of preventive/predictive maintenance activities focusing on the reports/data/information of:
  - Annual surveys, particularly for ROPAX,
  - Intermediate surveys (generally taking place every 2.5 years),
  - Special surveys (generally taking place every 5 years),
- Costs of corrective maintenance or repair activities,
- Based on the above information,
  - Amount of the steel replaced and its main cause (corrosion etc.) and the relevant zone of the ship,
  - Costs of unavailability because of those off-service times,
- Proportion of hull structure related costs to machinery related costs,

What follows is a description of some examples in terms of more practical use.

- Initial quotation lists (concerning work to be carried out during the dry docking period from both shipyard’s and sub-contractors’ side, sand/water blasting, coating etc).
- Any additional quotation list deriving from unscheduled on-site repair works.
- Data gathered from subsequent dry docking periods (time between special and intermediate survey, every 2 ½ years).
- Final repair booklets (including sketches of repaired areas with their exact location, dimensions and material used/grade of steel).
- Cause of the defects occurring, which lead to steel renewals (i.e. cracks/fractures, deformation/buckling, corrosion patterns).
- Time (days) in drydock/floating dock and shipyard’s quay.
- Any supplementary maintenance or repair jobs carried out by the crew on board the vessel under examination (i.e. cleaning of ballast tanks from mud deposits, de-scaling of loose rust, minor repairs, re-coating of small areas etc).
- Existing maintenance strategies of the operators.
- Number of days in actual operation per year and trading area of the vessel.
- Type of chartering contract (i.e. spot market, time chartered and for how long).

It should be mentioned that data collection is not an easy task to perform. During this period it was experienced that it is not only the unavailability and confidentiality of such data which renders them difficult to get but also as ship owners/operators may keep folders with huge amounts of information, it is also critical to communicate to them the exact information that you are looking for in practical terms.
LIFE-CYCLE MAINTENANCE/REPAIR COST/EARNING MODEL

The aim of this section is to establish a generalised production and maintenance/repair oriented life-cycle cost/earning (GLCMC) model to be used within a structural optimisation platform. This model will not only focus on maintenance/repair related aspects but also will consider a few ownership and acquisition costs, and thereby the following models will be developed:

- Model 1: Production cost
- Model 2: Cost of periodic maintenance
- Model 3: Cost of fuel oil for main engine(s)
- Model 4: Operational earning or revenue and
- Model 5: Dismantling earning

Life cycle maintenance cost for a subject vessel to be evaluated equals the sum of the following cost and earning elements:

- Production cost
- Periodic maintenance cost
- Fuel oil cost and
- Earning (Operational and Dismantling)

The relation between above-mentioned models, life-cycle cost/earning elements and structure optimisation variables is shown in Figure 1.

Insert Figure 1 here

MODEL 1: Production Cost

This section presents the modelling of the production cost, as implemented in the basic cost module (BCM) of LBR5 optimization tool. The LBR5 software is an integrated package to perform cost and weight optimisation of stiffened ship structures, allowing [Rigo 2001, 2003; Toderan et al 2007]:

- a 3D analysis of the general behaviour of the structure;
- to include all the relevant limit states of the structure (service limit states and ultimate limit states) in an analysis of the structure based on the general solid-mechanics;
- an optimisation of the scantlings (profile sizes, dimensions and spacing);
- to include the unit construction costs and the production sequences in the optimisation process (through a production-oriented cost objective function).

The total production cost given by Model 1 will be the sum of the following three components:

\[ F_C = F_{MAT} + F_{CONS} + F_{LAB} \]  

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>( F_C )</td>
<td>The total production cost</td>
<td>€</td>
</tr>
<tr>
<td>( F_{MAT} )</td>
<td>The cost of materials</td>
<td>€</td>
</tr>
<tr>
<td>( F_{CONS} )</td>
<td>The cost of consumables</td>
<td>€</td>
</tr>
<tr>
<td>( F_{LAB} )</td>
<td>The cost of labour</td>
<td>€</td>
</tr>
</tbody>
</table>


The Cost of Materials

The cost of materials means the steel acquisition cost. For a stiffened panel, this cost is directly derived from the structural weight using the following formula:

\[
F_{\text{MAT}} = \gamma \cdot L \cdot B \left[ C_1 \cdot \delta + C_2 \cdot \frac{(h \cdot d + w \cdot t) \cdot \Delta_x}{\Delta_x} \left[ 1 + DW_2 \right] + C_3 \cdot \frac{(h \cdot d + w \cdot t) \cdot \Delta_y}{\Delta_y} \left[ 1 + DW_3 \right] \right]
\]  (2)

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>(F_{\text{MAT}})</td>
<td>The cost of materials – for a stiffened panel</td>
<td>€</td>
</tr>
<tr>
<td>(\gamma)</td>
<td>Steel specific weight</td>
<td>N/m²</td>
</tr>
<tr>
<td>(L)</td>
<td>Stiffened panel length</td>
<td>M</td>
</tr>
<tr>
<td>(B)</td>
<td>Stiffened panel width</td>
<td>M</td>
</tr>
<tr>
<td>(\delta)</td>
<td>Stiffened panel plate thickness</td>
<td>M</td>
</tr>
<tr>
<td>(h)</td>
<td>Web height</td>
<td>M</td>
</tr>
<tr>
<td>(d)</td>
<td>Web thickness</td>
<td>M</td>
</tr>
<tr>
<td>(w)</td>
<td>Flange width</td>
<td>M</td>
</tr>
<tr>
<td>(t)</td>
<td>Flange thickness</td>
<td>M</td>
</tr>
<tr>
<td>(\Delta_X)</td>
<td>Longitudinal stiffeners spacing</td>
<td>M</td>
</tr>
<tr>
<td>(\Delta_Y)</td>
<td>Transversal frames spacing</td>
<td>M</td>
</tr>
<tr>
<td>(X)</td>
<td>Index of longitudinal stiffeners</td>
<td>-</td>
</tr>
<tr>
<td>(Y)</td>
<td>Index of transversal frames</td>
<td>-</td>
</tr>
<tr>
<td>(C_1)</td>
<td>Cost / Kg of a plate with (\delta) thickness(for instance 0.9 €/kg)</td>
<td>€ / Kg</td>
</tr>
<tr>
<td>(C_2)</td>
<td>Cost / Kg of longitudinal stiffeners</td>
<td>€ / Kg</td>
</tr>
<tr>
<td>(C_3)</td>
<td>Cost / Kg of transversal frames</td>
<td>€ / Kg</td>
</tr>
<tr>
<td>(DW_2)</td>
<td>Corrective factor of longitudinal stiffeners weight due to the extra weight induced by brackets for local stiffening (for instance 0.1 for a 10% increase),</td>
<td>-</td>
</tr>
<tr>
<td>(DW_3)</td>
<td>Corrective factor for the weight of transversal frames due to the extra weight induced by brackets for local stiffening.</td>
<td>-</td>
</tr>
</tbody>
</table>

The values of the parameters \(C_1\), \(C_2\), \(C_3\), should be calculated using the formulas:

\[
C_1 = C_1^0 \left[ 1 + \Delta C_1 (\delta - E_0) \right] \cdot 10^3, \quad C_2 = C_2^0 \left[ 1 + \Delta C_2 (d_X - E_{0_X}) \right] \cdot 10^3, \quad C_3 = C_3^0 \left[ 1 + \Delta C_3 (d_Y - E_{0_Y}) \right] \cdot 10^3
\]  (3)

Where (indicative values are given in Rigo 2001, 2003)

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>(\delta)</td>
<td>stiffened panel plate thickness - actual</td>
<td>M</td>
</tr>
<tr>
<td>(d_X)</td>
<td>Long. stiffeners web thickness - actual</td>
<td>M</td>
</tr>
<tr>
<td>(d_Y)</td>
<td>Transversal frames web thickness - actual</td>
<td>M</td>
</tr>
<tr>
<td>(E_0)</td>
<td>Reference thickness for plate cost assessment</td>
<td>M</td>
</tr>
<tr>
<td>(E_{0_X})</td>
<td>Reference web thickness for long. stiffeners</td>
<td>M</td>
</tr>
</tbody>
</table>
$E_{0Y}$ Reference web thickness for transversal frames M
$C_{10}$ Cost / Kg of a plate with $E_0$ thickness € / Kg
$C_{20}$ Cost / Kg of longitudinal stiffeners with $E_{0X}$ web thickness € / Kg
$C_{30}$ Cost / Kg of transversal frames with $E_{0Y}$ web thickness € / Kg
$\Delta C_1$ Variation of $C_1$ per mm 1 / mm
$\Delta C_2$ Variation of $C_2$ per mm 1 / mm
$\Delta C_3$ Variation of $C_3$ per mm 1 / mm

The Cost of Consumables
The cost of consumables means the cost of welding except the labour cost and it is composed by the cost of energy, gas, electrodes, provision for equipment depreciation. The cost of consumables for a stiffened panel will be calculated as follows:

$$F_{CONS} = L . B . \left[ \frac{2 - \alpha_X}{\Delta_X} C_{8X} + \frac{2 - \alpha_Y}{\Delta_Y} C_{8Y} \right]$$  \hspace{1cm} (4)

where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>$F_{CONS}$</td>
<td>The cost of consumables – for a stiffened panel</td>
<td>€</td>
</tr>
<tr>
<td>$L$</td>
<td>Stiffened panel length</td>
<td>M</td>
</tr>
<tr>
<td>$B$</td>
<td>Stiffened panel width</td>
<td>M</td>
</tr>
<tr>
<td>$\Delta_X$</td>
<td>Longitudinal stiffeners spacing</td>
<td>M</td>
</tr>
<tr>
<td>$\Delta_Y$</td>
<td>Transversal frames spacing</td>
<td>M</td>
</tr>
<tr>
<td>$X$</td>
<td>Index of longitudinal stiffeners</td>
<td>-</td>
</tr>
<tr>
<td>$Y$</td>
<td>Index of transversal frames</td>
<td>-</td>
</tr>
<tr>
<td>$\alpha_X$</td>
<td>Binary coeff. related to stiffeners manufacturing</td>
<td>-</td>
</tr>
<tr>
<td>$\alpha_Y$</td>
<td>Binary coeff. related to frames manufacturing</td>
<td>-</td>
</tr>
<tr>
<td>$C_{8X}$</td>
<td>Cost / meter of the consumables related to long. stiffeners welding</td>
<td>€ / m</td>
</tr>
<tr>
<td>$C_{8Y}$</td>
<td>Cost / meter of the consumables related to transversal frames welding</td>
<td>€ / m</td>
</tr>
</tbody>
</table>

Note: the welding length is assumed to be same as the stiffener spacing and this is included in the equation.

The values of the parameters $C_{8X}$ and $C_{8Y}$ should be calculated as follows:

$$C_{8X} = C_{8X0} \left[ 1 + \Delta C_{8X} (d_X-E_{0X}) \times 10^3 \right]$$

$$C_{8Y} = C_{8Y0} \left[ 1 + \Delta C_{8Y} (d_Y-E_{0Y}) \times 10^3 \right]$$  \hspace{1cm} (5)

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>$d_X$</td>
<td>Long. stiffeners web thickness - actual</td>
<td>M</td>
</tr>
</tbody>
</table>
The Labour Cost

The labour cost is related to the workload for welding and welding surface preparation. For a stiffened panel, the labour will be estimated as follows:

\[ F_{\text{LAB}} = \eta \cdot k \cdot C_1^0 \cdot W_{\text{Load}} \]  

\( (6) \)

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>( F_{\text{LAB}} )</td>
<td>The labour cost – for a stiffened panel</td>
<td>€</td>
</tr>
<tr>
<td>( \eta )</td>
<td>Efficiency parameter for the considered production plant</td>
<td>-</td>
</tr>
<tr>
<td>( 0 &lt; \eta \leq 1 ), usually taken as 1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>( k )</td>
<td>Plate weight equivalent to a man-hour of the considered shipyard</td>
<td>Kg / man-hour</td>
</tr>
<tr>
<td>( C_1^0 )</td>
<td>Cost / Kg of a plate with ( E_0 ) thickness (see above – Cost of materials)</td>
<td>€ / Kg</td>
</tr>
<tr>
<td>( W_{\text{Load}} )</td>
<td>Workload required for the fabrication of the stiffened panel</td>
<td>Man-hour</td>
</tr>
</tbody>
</table>

The amount of workload should be calculated with the formula:

\[ W_{\text{Load}} = L \cdot B \cdot \left[ \frac{1}{\Delta X} \cdot P_4 + \frac{1}{\Delta Y} \cdot P_5 \right. \\
+ \left. \frac{1}{\Delta X \cdot \Delta Y} \left( P_6 + \beta_X \cdot \beta_Y \cdot P_7 \right) \right. \\
+ \left. \frac{1}{\Delta X} \cdot P_{9X} + \frac{1}{\Delta Y} \cdot P_{9Y} \right. \\
+ \left. P_{10} \right] \]  

\( (7) \)

Where

<table>
<thead>
<tr>
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<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>( W_{\text{Load}} )</td>
<td>Workload required for the fabrication of the stiffened panel</td>
<td>Man-hour</td>
</tr>
<tr>
<td>( L )</td>
<td>Stiffened panel length</td>
<td>M</td>
</tr>
<tr>
<td>( B )</td>
<td>Stiffened panel width</td>
<td>M</td>
</tr>
<tr>
<td>( \Delta X )</td>
<td>Longitudinal stiffeners spacing</td>
<td>M</td>
</tr>
</tbody>
</table>
\[ \Delta Y \text{ Transversal frames spacing} \quad \text{M} \]

\[ P_4 \text{ Workload per meter for the welding of long. stiffeners web on the plate (preparation included)} \quad \text{Man-hour / m} \]

\[ P_5 \text{ Workload per meter for the welding of transversal frames web on the plate (preparation included)} \quad \text{Man-hour / m} \]

\[ P_6 \text{ Workload required for the welding and preparation of one intersection between long. stiffeners and transversal frames} \quad \text{Man-hour / intersection} \]

\[ P_7 \text{ Workload required for fixing the brackets at one intersection between long. stiffeners and transversal frames} \quad \text{Man-hour / intersection} \]

\[ P_{9X} \text{ Workload required to built 1 meter of long. stiffener - assembly of web - flange (preparation + welding)} \quad \text{Man-hour / m} \]

\[ P_{9Y} \text{ Workload required to built 1 meter of transversal frame - assembly of web - flange (preparation + welding)} \quad \text{Man-hour / m} \]

\[ P_{10} \text{ Workload required for the preparation of 1 m² of plate (cutting, positioning)} \quad \text{Man-hour / m²} \]

\[ \beta_X \text{ Ratio between the amount of intersections requiring long. brackets and the total amount of intersections} \]

\[ \beta_Y \text{ Ratio between the amount of intersections requiring transversal brackets and the total amount of intersections} \]

The values of the unitary cost parameters involved in the equation (7) should be calculated as follows:

\[
P_4 = P_4^0 \left[ 1 + (d_X - E_{OX}) \cdot 10^3 \cdot \Delta P_4 \right]
\]

\[
P_5 = P_5^0 \left[ 1 + (d_Y - E_{OY}) \cdot 10^3 \cdot \Delta P_5 \right]
\]

\[
P_{9X} = P_{9X}^0 \left[ 1 + (d_X - E_{OX}) \cdot 10^3 \cdot \Delta P_{9X} \right]
\]

\[
P_{9Y} = P_{9Y}^0 \left[ 1 + (d_Y - E_{OY}) \cdot 10^3 \cdot \Delta P_{9Y} \right]
\]

\[
P_{10} = P_{10}^0 \left[ 1 + (\delta - E_0) \cdot 10^3 \cdot \Delta P_{10} \right]
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>( \delta )</td>
<td>stiffened panel plate thickness – actual</td>
<td>M</td>
</tr>
<tr>
<td>( d_X )</td>
<td>Long. stiffeners web thickness – actual</td>
<td>M</td>
</tr>
<tr>
<td>( d_Y )</td>
<td>Transversal frames web thickness – actual</td>
<td>M</td>
</tr>
<tr>
<td>( E_0 )</td>
<td>Reference thickness for plate cost assessment</td>
<td>M</td>
</tr>
<tr>
<td>( E_{OX} )</td>
<td>Reference web thickness for long. stiffeners</td>
<td>M</td>
</tr>
<tr>
<td>( E_{OY} )</td>
<td>Reference web thickness for transversal frames</td>
<td>M</td>
</tr>
<tr>
<td>( P_4^0 )</td>
<td>Workload per meter for the welding of long. stiffeners web (( E_{OX} ) thickness) on the plate</td>
<td>Man-hour / m</td>
</tr>
<tr>
<td>( P_5^0 )</td>
<td>Workload per meter for the welding of transversal frames web (( E_{OY} ) thickness) on the plate (preparation included)</td>
<td>Man-hour / m</td>
</tr>
<tr>
<td>( P_{9X}^0 )</td>
<td>Workload required to built 1 meter of long. stiffener – assembly of web (( E_{OX} ) thickness) - flange (preparation + welding)</td>
<td>Man-hour / m</td>
</tr>
</tbody>
</table>
Step-wise description of production cost model (Model 1)

Before the start of the production cost calculation, the considered structure should be divided into several flat stiffened panels, as required by LBR5 mesh. Considering that the total number of stiffened panels is N, the calculation will follow the following steps:

1. Definition of input cost parameters, definition of reference thicknesses:
   \( \eta, k, E_0, E_{0X}, E_{0Y} \)
   \( C_1^0, C_2^0, C_3^0, \Delta C_1, \Delta C_2, \Delta C_3, DW_2, DW_3 \)
   \( C_{8X}^0, C_{8Y}^0, \Delta C_{8X}, \Delta C_{8Y}, \alpha_1, \alpha_2 \)
   \( P_4^0, P_5^0, P_6, P_7, P_{9x}, P_{9y}, P_{10}, \Delta P_4, \Delta P_5, \Delta P_{9x}, \Delta P_{9y}, \Delta P_{10}, \Delta P_4, \Delta P_5, \Delta P_{9x}, \Delta P_{9y}, \Delta P_{10}, \beta_1, \beta_2 \)

2. Identification of structural dimensions and scantlings for each panel:
   \( L, B, \delta, (h, d, w, t)_X, (h, d, w, t)_Y, \Delta_X, \Delta_Y \)

3. Compute \( C_1, C_2, C_3 \) for panel \( i \) using equation (3)

4. Compute \( F_{MAT} \) for panel \( i \) using equation (2)

5. Compute \( C_{8X}, C_{8Y} \), for panel \( i \) using equation (5)

6. Compute \( F_{CONS} \) for panel \( i \) using equation (4)

7. Compute \( P_4 \) to \( P_{10} \) for panel \( i \) using equation (8)

8. Compute \( W_{Load} \) for panel \( i \) using equation (7)

9. Compute \( F_{LAB} \) for panel \( i \) using equation (6)

10. Compute the total cost \( F_C \) for panel \( i \) using equation (1)

11. Compute the total cost \( F_C \) of the structure as the sum of all panels
MODEL 2: Cost of Periodic Maintenance

Based on the definition of periodic maintenance given in Section 1, Model 2 will include the following items:

- The cost of steel replacement and coating and
- The cost of unavailability because of a subject vessel’s down-time

The Cost of Steel Replacement for Tankers

According to the shipyards and operators, steel replacement is very rare before 10 years of age. Steel replacement usually takes place every 2.5 years following the intermediate and special surveys. Nevertheless, in most cases the steel replacement occurs every 5 years during the dry-docking period of the vessel.

Prediction of the amount of deteriorated steel to be replaced following intermediate and special surveys has to be known in order to calculate the cost of steel replacement. For that purpose, the repair data was collected from operators for mainly Cargo vessels and Tankers. Then regression analyses were carried out using this data. Because of the difficulty to obtain full life-cycle repair data for a particular ship, an anonymous index (ARS/Lightweight) is introduced to be used in regression analysis. This index is represented as the amount of replaced steel divided by lightweight for a particular year.

Common practice regarding calculating cost of steel replacement is given in unit price per kg (Pr\textsubscript{strip}) depending on the location of the yard where the replacement is taken place. For example, in China, this figure is 1.6 - 1.7 $ per kg regardless of the ship’s zone\textsuperscript{1}, 5 - 6 € per kg in Greece, 3 – 4 $ per kg in Turkey, all including labour and material costs and excluding coating costs. In general these steel processing prices include material, workmanship, lighting, ventilation, and hanging staging but exclude staging, tank cleaning, testing the tanks and access work. Coating is also a separate job.

The cost of steel replacement, COSR for Tankers is calculated by using the following formula:

\[
COSR = (ARS\textsubscript{CONF}) \times 1,000 \times Pr\textsubscript{strip} \quad (9)
\]

Based on the data of Tankers, ARS is calculated by using the following regression formulas:

\[
(ARS\textsubscript{CONF}) = \text{Lightweight} \times 0.0306 \times (e^{0.2772 \times (\text{age})} / 1,000 \quad (10)
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>COSR</td>
<td>The cost of steel replacement</td>
<td>€</td>
</tr>
<tr>
<td>Lightweight</td>
<td>Lightweight of the ship</td>
<td>Tonnes</td>
</tr>
<tr>
<td>ARS\textsubscript{CONF}</td>
<td>The amount of replaced steel (using the confidence interval analysis/most likely regression formula-see following explanation)</td>
<td>Tonnes</td>
</tr>
<tr>
<td>Pr\textsubscript{strip}</td>
<td>The unit price of steel replacement</td>
<td>€/kg</td>
</tr>
</tbody>
</table>

\textsuperscript{1} Excluding the cases that the total steel amount to be replaced is relatively small. In such circumstances, the price per kg may be around 3-4 US $.
The derivation of formulas (10) is explained below.

Confidence Level Oriented Approximation (Clements (1991)) For Tankers

The population of steel replacement for tankers used in this stream includes 16 points and is given in Figure 2. The population of unavailability used in this stream includes 32 points and is given in Figure 3.

The regression model used here creates an exponential line of specific, predicted steel replacement amounts based on years. For example, it is predicted that year 15 would produce 20 tonnes (for a lightweight of 10,000 tonnes) steel replacement. However, it is known that in practice the actual amount of steel replacement will not be exactly this number but one that is fairly close.

Determining a range for the actual steel replacement figure is done the same way as forming interval estimates. We assume that the predicted value is the average. Then a standard deviation for the prediction and form interval estimates (error shifts) around the mean will be calculated. The standard deviation for regression is called the standard error of the estimate. The formula used is:

\[
S_{xy} = \sqrt{\frac{\sum (Y - Y')^2}{n - 2}}
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
</tr>
</thead>
<tbody>
<tr>
<td>S_{xy}</td>
<td>Standard error of the estimate</td>
</tr>
<tr>
<td>Y</td>
<td>Actual value obtained in our original data</td>
</tr>
<tr>
<td>Y'</td>
<td>Predicted value</td>
</tr>
<tr>
<td>n</td>
<td>Number of data pairs in our original data</td>
</tr>
</tbody>
</table>

This standard error is treated just like a standard deviation. If an estimate around a mean is to be formed, a confidence interval based on the Z-values of the area under a normal curve will be used. For example, plus and minus one standard deviation around the mean would represent a 68% chance that the actual steel replacement figure would fall inside the defined range.

The procedure for calculating a standard error of the estimate is fairly simple. First list the original data. Against this data list the predicted values for each factor X value (Age). For example, the first X value listed is 10 years. Using the regression formula from the previous step

\[
(Y \text{ (ARS/LWT)}) = 0.0306 e^{0.2772x(age)}
\]

we calculate the predicted value, also called the Y-prime (Y').

\[
Y' = 0.0306 \times e^{0.2772(10)} = 0.489
\]
This is repeated for each of X (age) values listed and then the predicted values are subtracted from the actual Y value. This is the amount of deviation between prediction and the actual data. By summing the square of these deviations, you can obtain the information needed to complete the formula for the standard error of the estimate.

Before the standard error of the regression is calculated, the average of the (Y-\(Y')\) column should be checked. This represents the average deviation from the line of regression following normally distributed discrete values. If the regression model has made a good fit, this value should be very close to zero. In other words, the deviation from overestimates equals those for underestimates. The population including 16 points for steel replacement and relevant X (age), Y (the amount of steel replacement), Y', (Y-\(Y')\), (Y-\(Y')\)^2 values are given in Figure 2. For the population of 16 points,

\[\Sigma(Y - Y') = 0.06\] and
\[
\frac{0.06}{16} \text{ data pairs} = 0.004
\]

Indeed, this is very close to zero. This indicates that the average predictions are on target. The calculation of the standard error of the estimate indicates how much variation there is in the model.

\[S_{xy} = \sqrt{\frac{286.84}{16 - 2}}\]

To calculate the range of prediction error, a confidence interval should be selected such as:
\[\pm 1.96 \text{ } S_{xy} = 95\% \text{ confidence}\]
\[\pm 2.58 \text{ } S_{xy} = 99\% \text{ confidence}\]

In this work, an interval estimate 95% confidence will be formed. Specifically, we will look at the estimate for 10 years. The regression formula predicted an average steel replacement/LWT of 0.489. The interval estimate would be

10 years = \(Y' \pm 1.96 \text{ } S_{xy}\)

or

10 years = 0.489 ± (1.96 x 4.53)

You have 95% confidence in this estimate.

Based on the errors calculated above, high and low regressions were established (Figure 4). High regression includes the points whose values are in the (\(y'^+\text{ CI}\)) column. Low regression includes the points whose values are in the (\(y'^-\text{ CI}\)) column where CI represents confidence interval.

*Insert Figure 4 here*

The major assumption here is that the values for the low regression during the first 15 years are assumed to be reasonably low (well maintained vessel).

The same procedure is also applied to the approximation of unavailability under a 95% confidence interval. Figure 5 shows the regressions for unavailability.
The Cost of Coating

This cost item includes the coating which is carried out for the replaced steel during dry-docking. This cost, COA, is calculated as:

\[
COA = TAC \times \text{Pr}_{\text{COA}}
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>COA</td>
<td>The cost of coating</td>
<td>€</td>
</tr>
<tr>
<td>TAC</td>
<td>The total area of coating</td>
<td>m²</td>
</tr>
<tr>
<td>\text{Pr}_{\text{COA}}</td>
<td>The unit price of coating per m², including material and labour</td>
<td>€/m²</td>
</tr>
</tbody>
</table>

TAC can be calculated using the following regression.

\[
TAC = \left(\text{ARS}_\text{CONF}\right) \times 1000 / \left(8 \times \text{Average Thickness}\right)
\]

The new steel materials, which will be used in the repairs of the hull structure, are already coated with a protective layer of primer coating. After the new plates/stiffeners are fitted and welded, there may be a full coating application on one side depending on the area and the requirements of the ship owner/operator. Here, it is assumed that coating is carried out on one side but if required it can be adapted easily.

The Cost of Unavailability

The main assumption here is that the unavailable days considered in this study are the days spent during dry-docking, \(D_{\text{dock}}\), assuming

\[
D_{\text{sea}} = (D_{\text{sea-ld}} + D_{\text{sea-bal}} + D_{\text{port}}) + D_{\text{dock}} = 365
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>(D_{\text{dock}})</td>
<td>Number of days in shipyard</td>
<td></td>
</tr>
<tr>
<td>(D_{\text{port}})</td>
<td>Number of days in port</td>
<td></td>
</tr>
<tr>
<td>(D_{\text{sea-ld}})</td>
<td>Number of days on sea in loaded condition</td>
<td></td>
</tr>
<tr>
<td>(D_{\text{sea-bal}})</td>
<td>Number of days on sea in ballast condition</td>
<td></td>
</tr>
</tbody>
</table>

Lost service (or operation) is a function of downtimes of a subject ship, which are the times, spent during dry-docking.

The following formula is used for calculating the cost of unavailability (CUNA) per year:
Where

\[ C_{\text{DDT}} = \text{Cost of one day down-time because of the unavailability of the subject vessel}, \]
\[ D_{\text{dock}} = \text{The number of down-time days spent during dry-docking} \]

Based on the data of Tankers, \( D_{\text{dock}} \) is calculated by using the following regression formula:

\[ D_{\text{dock}} = 1.4993 X + 14.382 \] (14)

For regression analysis, a database containing the values of the dependent (downtime and replaced steel tonnage) and independent (age) variables for a set of observations was used. Each observation would contain three numbers: unavailability, replaced steel tonnage and age, collected from various ship operators. Finally, the total cost of periodic maintenance is equal to the sum of the cost of steel replacement, the cost of coating and the cost of unavailability as shown below:

\[ \text{CODO} = \text{COSR} + \text{COA} + \text{CUNA} \]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>CODO</td>
<td>The cost of periodic maintenance (or the cost of dry-docking)</td>
<td>€</td>
</tr>
<tr>
<td>COSR</td>
<td>The cost of steel replacement</td>
<td>€</td>
</tr>
<tr>
<td>COA</td>
<td>The cost of coating</td>
<td>€</td>
</tr>
<tr>
<td>CUNA</td>
<td>The cost of unavailability</td>
<td>€</td>
</tr>
</tbody>
</table>

For i-th design of experiment of the subject vessel within the optimisation loop, step-wise description for the cost of periodic maintenance is given as follows:

1. Lightweight,
2. Calculate \((\text{COSR}_i)_t\) at \{t=5, 7.5, 10, 12.5, 15, \ldots , 25\} by using Equation (9),
3. Calculate \((\text{COA}_i)_t\) at \{t=5, 7.5, 10, 12.5, 15, \ldots , 25\} by using Equation (11),
4. Calculate \((\text{CUNA}_i)_t\) at \{t=5, 7.5, 10, 12.5, 15, \ldots , 25\} by using Equation (13),
5. Calculate the cost of dry-docking \((\text{CODO}_i)_t\) at current prices
6. If relevant, escalate the current cost of dry-docking at assumed inflation rate(s),
7. Discount the (escalated) CODO as shown in Appendix II to find the present worth,
8. Sum-up discounted costs to establish the net present value.

**MODEL 3: Cost of Fuel Oil**

This model is developed based on the following assumptions and relations:

In this case the DWT is kept constant and variations with Lightweight of the ship are examined: If Lightweight increases, in order to keep the same DWT, displacement will also increase.
Accordingly, draught, resistance, required main engine power and daily fuel oil consumption will also increase. The opposite occurs if LWT decreases. Then, in order to keep the same DWT, displacement must decrease. Accordingly, draught, resistance, required main engine power and daily fuel oil consumption will also decrease. These are described below as:

<table>
<thead>
<tr>
<th>DWT constant</th>
<th>Displacement</th>
<th>Draught</th>
<th>Resistance</th>
<th>Power of main engine (s)</th>
<th>Daily fuel oil consumption</th>
</tr>
</thead>
<tbody>
<tr>
<td>If LWT increases, then:</td>
<td>Increase</td>
<td>Increase</td>
<td>Increase</td>
<td>Increase</td>
<td>Increase</td>
</tr>
<tr>
<td>If LWT decreases, then:</td>
<td>Decrease</td>
<td>Decrease</td>
<td>Decrease</td>
<td>Decrease</td>
<td>Decrease</td>
</tr>
</tbody>
</table>

Annual cost of fuel for main engine (s), ACOF, is calculated by using the following equations

\[
ACOF = D_{\text{sea}} \times DFC \times Pr_{\text{fuel}} \times N_{\text{main}} \times \text{Oil}_{\text{corr}} \tag{15}
\]

\[
DFC = P_{\text{max}} \times \text{SFOC}_{\text{main}} \times 10^{-6} \times F_{\text{mean}} \times 10^{-2} \times 24 \tag{16}
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>ACOF</td>
<td>Annual cost of fuel for main engine(s)</td>
<td>€</td>
</tr>
<tr>
<td>$D_{\text{sea}}$</td>
<td>Days at sea</td>
<td></td>
</tr>
<tr>
<td>DFC</td>
<td>Daily fuel consumption</td>
<td>Tonnes</td>
</tr>
<tr>
<td>$Pr_{\text{fuel}}$</td>
<td>Fuel price</td>
<td>€/ton</td>
</tr>
<tr>
<td>$N_{\text{main}}$</td>
<td>Number of main engines</td>
<td></td>
</tr>
<tr>
<td>Oil$_{\text{corr}}$</td>
<td>Correction ratio for lubrication oil and diesel oil</td>
<td>1.15</td>
</tr>
<tr>
<td>$P_{\text{max}}$</td>
<td>Maximum power of main engine</td>
<td>KW</td>
</tr>
<tr>
<td>SFOC$_{\text{main}}$</td>
<td>Specific fuel oil consumption of main engine</td>
<td>g/kWh</td>
</tr>
<tr>
<td>$F_{\text{mean}}$</td>
<td>Reduction factor average speed (percentage of maximum speed)</td>
<td>%</td>
</tr>
<tr>
<td>$C$</td>
<td>Admiralty coefficient</td>
<td>$t^{2/3}$ kn$^{3}$/kW</td>
</tr>
<tr>
<td>$C$</td>
<td>Variation</td>
<td></td>
</tr>
</tbody>
</table>

Admiralty coefficient (C) can be used to establish the link between lightweight and fuel cost. The admiraltry coefficient is assumed to be constant for similar ships with similar Froude numbers, i.e. ships that have almost the same $C_B$, $C_P$, $F_n$, etc.

\[
C = \frac{\Delta^{2/3}}{P_B} V^3
\]

Where $P_B$ is the break power (in kW), $V$ is the speed (in knots) and $\Delta$ is displacement (in tonnes).

For $i$-th design of experiment of the subject vessel within the optimisation loop, step-wise description for the annual cost of fuel oil is given as follows:

1. Lightweight$_i$
2. $\delta$Lightweight = Lightweight$_i$ – Original Lightweight , (either positive or negative)
3. $\Delta i = \text{Original} \Delta + \delta$Lightweight ,
4. \[ P_B = \left( \Delta^{2/3} \times V^3 \right) / C \],  
5. Calculate (DFC) by using equation (16),  
6. Calculate annual cost of fuel for main engine(s), ACOF, by using equation (15),  
7. If relevant, escalate ACOF at assumed inflation rate(s),  
8. Discount the (escalated) ACOF as shown in Appendix I to find the present worth,  
9. Sum-up discounted costs to establish the net present value.

**MODEL 4: Operational Earning**

In this case the displacement of the ship is kept constant and the effect of change in Lightweight of the ship is examined. When LWT, increases DWT will decrease- in order to keep the same displacement. Accordingly, Operational Earning will also decrease. The opposite occurs if LWT decreases. Then, in order to keep the same Displacement, DWT must increase and accordingly, Operational Earning will also increase.

<table>
<thead>
<tr>
<th>Displacement constant</th>
<th>DWT</th>
<th>Operational Earning</th>
</tr>
</thead>
<tbody>
<tr>
<td>If LWT increases, then:</td>
<td>Decrease</td>
<td>Decrease</td>
</tr>
<tr>
<td>If LWT decreases, then:</td>
<td>Increase</td>
<td>Increase</td>
</tr>
</tbody>
</table>

A model needs to be developed to be able to assess the variation in earning due to the change in lightweight and deadweight, preferably expressed in revenue per annum.

According to Stopford [Stopford 1997], the basic revenue calculation involves two steps: first, determining how much cargo the vessel can carry in the financial period, measured in whatever units are appropriate (tons, ton miles, cubic metres, etc.), and, second, establishing what price or freight rate the owner will receive per unit transported. In more technical terms, the revenue per annum can be viewed as the product of the ship’s productivity, measured in ton miles of cargo transported per annum, and the freight rate per ton mile, thus;

\[ R_{tm} = P_{tm} \times FR_{tm} \quad (17) \]

Where  
\[ R_{tm} \] = revenue per annum  
\[ P_{tm} \] = Productivity in ton miles of cargo per annum  
\[ FR_{tm} \] = freight rate per ton mile of cargo transported  
\( t \) = time period  
\( m \) = ship type

The analysis of productivity can be carried further by subdividing into its component parts as follows:

\[ P_{tm} = 24 \times S_{tm} \times (D_{sea-id})_{tm} \times DWU_{tm} \quad (18) \]
Where
\[ S_{tm} = \text{average operating speed per hour}, \]
\[ D_{\text{sea-lod}} = \text{loaded days at sea per annum}, \]
\[ DWU_{tm} = \text{deadweight utilization} \]

For i-th design of experiment of the subject vessel within the optimisation loop, step-wise description for operational earning is given as follows:

- Lightweight_i ,
- \( \delta \text{Lightweight} = \text{Lightweight}_i - \text{Original Lightweight} \), (positive or negative)
- \( DWT_i = \text{Original DWT} + \delta \text{Lightweight} \),
- Calculate \( (P_{tm})_i \), by using equation (18),
- Calculate revenue per annum \( (R_{tm})_i \) by using equation (17),
- If relevant, escalate the annual operational earning value at assumed inflation rate(s),
- Discount the (escalated) operational earning as shown in Appendix I to find the present worth,
- Sum-up discounted costs to establish the net present value.

**MODEL 5: Earning of Dismantling**

The dismantling revenue, \( EDIS \), will be the function of the lightweight of the subject vessel, and will be calculated as

\[
EDIS = Pr_{dist} \times \text{lightweight}_i
\]

Where

<table>
<thead>
<tr>
<th>Symbol</th>
<th>Description</th>
<th>Unit</th>
</tr>
</thead>
<tbody>
<tr>
<td>EDIS</td>
<td>The earning of dismantling</td>
<td>€</td>
</tr>
<tr>
<td>( Pr_{dist} )</td>
<td>The unit price of dismantling per ton</td>
<td>€/ton</td>
</tr>
</tbody>
</table>

The whole procedure given above is shown in Figure 6 schematically.

*Insert Figure 6 here*

**ILLUSTRATIVE EXAMPLE: CHEMICAL TANKER**

In order to show the applicability of the proposed methodology, an illustrative example using a Chemical Tanker is given in this section. In this example, variation in Lightweight of the ship will be taken into account and its effect on relevant operational cost and earning will be investigated using the models 2, 3, 4 and 5. Model 1 (production cost) will not be investigated in this particular example. Model 1 will be developed in the future work. It should be noted that there are illustrative examples and applications of model 1 for a Floating Storage and Offloading (FSO) unit with a capacity of 370,000 tons (Rigo 2001) and a medium size LNG carrier (Rigo 2003). The main particulars of the Example Chemical Tanker are:

- \( L_{oa} = 182 \text{ m} \)
- \( B \) (moulded) = 29.4 m
- \( D \) (Depth) = 13 m
d (Draft) = 10.03 m
Lightweight = 9500 tonnes
Displacement = 41500 tonnes
DWT = 32000 tonnes
Design speed = 15 knots
Power of main engine is 11000 kW
Number of main engine = 1

In order to be able to follow the whole process, the calculations for the particular year-5 and new lightweight value of 10000 tonnes are provided below in detail.

It is assumed that escalation and discount rates are different and they are 3% (prices escalate 3 percent per year) and 8% over a period of 25 years, respectively.

**Model 2 Related**

\[
ARS = 0.1582 \times (e^{0.1787 \times 5}) \times 10,000 / 1,000 = 3.9 \text{ tonnes}
\]

\[P_{\text{strp}} = 5 \text{ €/kg}\]

\[\text{COSR @ current prices} = 5 \times 3.9 \times 1000 = 19,328\text{€}\]

Escalated COSR = 19,328 \times (1 + 0.03)^5 = 22,406 \text{ €}

Discounted COSR = 22,406 / (1 + 0.08)^5 = 15,249 \text{ €}

\[TAC = 3.9 \times 1,000 / (8\times17) = 28.4 \text{ m}^2\]

\[P_{\text{COA}} = 5 \text{ € / m}^2\]

It should be noted that the cost of coating refers only to the full coating of the replaced steel and not that of the entire ship during the dry-docking period. Moreover, it is assumed that the replaced steel is a flat panel of the bottom plate with a specific thickness (17 mm in this case) and that the coating process refers to all different layers applied on the outer surface of the plate. Labour cost as well as the paint supply is included in the coating cost. In general, repair shipyard sites provide very low coating prices per m$^2$ as they take into account the entire repair specification of the ship.

\[\text{COA @ current prices} = 28.4 \times 5 = 142.1\text{€}\]

Escalated COA = 142.1 \times (1 + 0.03)^5 = 164.8 \text{ €}

Discounted COA = 164.8 / (1 + 0.08)^5 = 112.1 \text{ €}

\[D_{\text{dock}} = 1.4993 \times 5 + 14.382 = \approx 21 \text{ days}\]

\[C_{\text{DDT}} = \text{Annual revenue (see subsequent revenue calculations below) / D_{\text{sea-id}} (loaded days at sea)}\]

\[D_{\text{sea-id}} = (2/3) \times (D_{\text{sea}})\]

\[D_{\text{sea}} = 365 - D_{\text{dock}} = 365 - 21 = 344 \text{ days}\]

\[C_{\text{DDT}} = 375,648 \text{ €}\]

\[\text{CUNA @ current prices} = 43,680 \times 21 = 7,849,878\text{€}\]

Escalated CUNA = 7,849,878 \times (1 + 0.03)^5 = 9,100,161 \text{ €}

Discounted CUNA = 9,100,161 / (1 + 0.08)^5 = 6,193,416 \text{ €}

**Model 3 Related**
Original $P_B = 11,000$ kW

Admiralty coefficient = $(41,500)^{2/3} \times 15^3 / 11,000 = 368$

New power $P_{\text{max}} = (41,500 + 500)^{2/3} \times 15^3 / 368 = 11,088$ kW

$\text{SFOC}_{\text{main}} = 125$ g / kW h

$F_{\text{mean}} = 90$

$DFC = 11,088 \times 125 \times 90 \times 24 \times 10^{-8} = 29.9$ tonnes

$D_{\text{sea}} = 365 - D_{\text{dock}} = 365 - 21 = 344$ days

$Pr_{\text{fuel}} = 419$ € / ton

$N_{\text{main}} = 1$

$Oil_{\text{corr}} = 1.15$

$ACOF @$ current prices = $29.9 \times 344 \times 419 \times 1 \times 1.15 = 4,968,119$ €

Escalated ACOF = $4,968,119 \times (1 + 0.03)^5 = 5,759,412$ €

Discounted ACOF = $5,759,412 / (1 + 0.08)^5 = 3,919,759$ €

Model 4 Related

$S_{\text{tm}} = 14$ knots

$D_{\text{sea-id}} = (3/4) \times (D_{\text{sea}}) = (3/4) \times 344 = 258$ days

$DWU_{\text{tm}} = 0.8$

$P_{\text{tm}} = 24 \times 14 \times 258 \times 0.8 \times 32,500 = 2,254,563,515$ ton miles of cargo per annum

$Fr_{\text{tm}} = 0.043$ € per ton-mile for molasses cargo

$R_{\text{tm}} @$ current prices = $2,254,563,515 \times 0.043 = 96,946,231$ €

Escalated $R_{\text{tm}} = 96,946,231 \times (1 + 0.03)^5 = 112,387,252$ €

Discounted $R_{\text{tm}} = 112,387,252 / (1 + 0.08)^5 = 76,488,876$ €

Model 5 Related

Because of dismantling, EDIS is attributed to the particular year-25. Then

$Pr_{\text{dist}} = 451.61$ € / ton

EDIS @ current prices = $451.61 \times 10,000$ (new lightweight) = $4,516,129$ €

Escalated EDIS = $4,516,129 \times (1 + 0.03)^{25} = 9,455,771$ €

Discounted EDIS = $9,455,771 / (1 + 0.08)^{25} = 1,380,712$ €

Following Table 1 is the summary of the calculations carried out for cost and earning with respect to the change in lightweight, bearing in mind that 4th experiment is the base design. It can be concluded for this illustrative example that changes in cost and earning are marginal with respect to the significant change in lightweight.

Insert Table 1

For this sensitivity analysis, following three options will be considered:

<table>
<thead>
<tr>
<th>Options</th>
<th>Steel Replacement</th>
<th>Unavailability</th>
</tr>
</thead>
<tbody>
<tr>
<td>The worst case</td>
<td>High</td>
<td>High</td>
</tr>
</tbody>
</table>
The most likely case Likely Likely Likely
The best case Low Low Low

Where high represents “not well maintained vessel” and low represents “well maintained vessel”. The following experiments are for the lightweight values of 10,500 tonnes and 8,500 tonnes and they are given in Figure 7.

Insert Figure 7 here

Where scenario 1 is relevant life-cycle cost and scenario 2 is relevant life-cycle earning. It can be easily concluded that if a vessel is not maintained well (worst case), cost increase can be more than 100% compared to the best case (well maintained vessel). Similarly, the same can be concluded for the earning element which decreases almost by 35%.

The Figure 8 shows the cost and earning assessments for the best, the most likely and the worst options with respect to 8,500 and 10,500 LWT.

Insert Figure 8 here

CONCLUSIONS AND FUTURE RESEARCH

This section summarises the achievements and shortcomings of the research carried out in this study as well as pointing the way for further research in this area. From the work carried out in this study, the following can be concluded:

- The developed life-cycle maintenance/repair cost model is robust enough to be used within a design search platform. The model can be utilised to find maintenance/repair related cost/earning values for the subject vessels with respect to design of experiments throughout the structure optimisation.
- The developed method can efficiently help designers, ship owners and production engineers to make rationale decisions during early design phases.
- Although the model is able to calculate generalized life-cycle maintenance cost/earning, it can also be used for what if scenario analyses with respect to other parameters of the model, such as unit price of steel replacement per kg, price of fuel oil, and so on.
- This model can further be improved with the inclusion of other life-cycle cost elements to identify the (significant) cost drivers.

Main shortcoming of the proposed methodology is that the regression analyses heavily rely on the operators’ data, which can be greatly improved with the availability of additional maintenance/repair data.

This research provided a theoretical and practical foundation for carrying out further research and development of more mature maintenance/repair cost modelling systems. Some of the improvements that may enhance the proposed methodology include the following:

- To employ advanced inference and/or reasoning systems that are to perform reasoning under vagueness environments; where maintenance/repair data is difficult to obtain and expert knowledge expressed in verbal settings is present.
- To make use of neural networks for better predictions of annually replaced steel and unavailability times.
• To create ship specific regression models and databases with the availability of additional maintenance/repair data
• To extend the existing model to take account of maintenance/repair strategy of a ship owner
• To carry out the same analysis for fluctuations in the freight rate estimations (which will affect the operational earning).

ACKNOWLEDGEMENTS

This research resulted from an EC funded FP6 project, namely IMPROVE (Design of improved and competitive products using an integrated decision support system for ship production and operation), and is supported by the following grant and contract: TST5-CT-2006-031382 and FP6 – 031382. The authors are thankful to the ship operators in this project, EXMAR, GRIMALDI Group (Atlantica spa di navigazione), and TPZ (Tankerska plovidba brodarsko dioničko drustvo), for providing the data/information related to their dry-docking activities.

REFERENCES


Yamamoto N, Ikegami K 1996. A study on the degradation of coating and corrosion of ships hull based on the probabilistic approach. 15th International Conference on Offshore Mechanics and Arctic Engineering (OMAE), II: 159-166, 16-20 June, Florence, Italy.
APPENDIX I

In Tables 1 and 2, the data gathered and used for the illustrative example regarding the tanker vessels are presented. Table 1 shows the detailed table including the unavailability and repair events. It should be noted that during the data gathering procedure some of the steel repair events were not recovered due to shipping operators' lack of proper data archiving.

Table 1 Detailed table including the unavailability and repair events for the tanker vessels

<table>
<thead>
<tr>
<th>##</th>
<th>Ship type</th>
<th>Survey period</th>
<th>Age</th>
<th>Unavailability time (days)</th>
<th>LWT (tons)</th>
<th>Steel repair (kgs)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Pr. Tanker</td>
<td>Annual</td>
<td>3</td>
<td>24</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>2</td>
<td>Pr. Tanker</td>
<td>Annual</td>
<td>4</td>
<td>13</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>3</td>
<td>Pr. Tanker</td>
<td>1st Sp.</td>
<td>5</td>
<td>42</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>4</td>
<td>Pr. Tanker</td>
<td>1st Int.</td>
<td>8</td>
<td>25</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>5</td>
<td>Pr. Tanker</td>
<td>2nd Sp.</td>
<td>10</td>
<td>37</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>6</td>
<td>Pr. Tanker</td>
<td>2nd Int.</td>
<td>13</td>
<td>31</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>7</td>
<td>Pr. Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>44</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>8</td>
<td>Pr. Tanker</td>
<td>3rd Int.</td>
<td>18</td>
<td>51</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>9</td>
<td>Pr. Tanker</td>
<td>4th Sp.</td>
<td>19</td>
<td>7</td>
<td>10,670</td>
<td></td>
</tr>
<tr>
<td>10</td>
<td>Tanker</td>
<td>Annual</td>
<td>3</td>
<td>18</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>11</td>
<td>Tanker</td>
<td>1st Sp.</td>
<td>6</td>
<td>17</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>12</td>
<td>Tanker</td>
<td>1st Int.</td>
<td>8</td>
<td>25</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>13</td>
<td>Tanker</td>
<td>2nd Sp.</td>
<td>10</td>
<td>21</td>
<td>16,327</td>
<td>5,000</td>
</tr>
<tr>
<td>14</td>
<td>Tanker</td>
<td>2nd Int.</td>
<td>13</td>
<td>30</td>
<td>16,327</td>
<td>5,000</td>
</tr>
<tr>
<td>15</td>
<td>Tanker</td>
<td>2nd Sp.</td>
<td>10</td>
<td>20</td>
<td>15,629</td>
<td></td>
</tr>
<tr>
<td>16</td>
<td>Tanker</td>
<td>Annual</td>
<td>2</td>
<td>16</td>
<td>23,650</td>
<td>2,000</td>
</tr>
<tr>
<td>17</td>
<td>Tanker</td>
<td>Annual</td>
<td>1</td>
<td>14</td>
<td>19,346</td>
<td></td>
</tr>
<tr>
<td>18</td>
<td>Tanker</td>
<td>Drydock</td>
<td>3</td>
<td>14</td>
<td>19,346</td>
<td>3,000</td>
</tr>
<tr>
<td>19</td>
<td>Tanker</td>
<td>Drydock</td>
<td>3</td>
<td>23</td>
<td>21,066</td>
<td></td>
</tr>
<tr>
<td>20</td>
<td>Tanker</td>
<td>Annual</td>
<td>1</td>
<td>11</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>21</td>
<td>Tanker</td>
<td>Annual</td>
<td>3</td>
<td>16</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>22</td>
<td>Tanker</td>
<td>1st Sp.</td>
<td>5</td>
<td>18</td>
<td>16,327</td>
<td>500</td>
</tr>
<tr>
<td>23</td>
<td>Tanker</td>
<td>1st Int.</td>
<td>8</td>
<td>41</td>
<td>16,327</td>
<td>5,210</td>
</tr>
<tr>
<td>24</td>
<td>Tanker</td>
<td>Drydock</td>
<td>9</td>
<td>5</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>25</td>
<td>Tanker</td>
<td>Drydock</td>
<td>10</td>
<td>16</td>
<td>16,327</td>
<td></td>
</tr>
<tr>
<td>26</td>
<td>Tanker</td>
<td>2nd Sp.</td>
<td>10</td>
<td>20</td>
<td>16,327</td>
<td>600</td>
</tr>
<tr>
<td>27</td>
<td>Tanker</td>
<td>4th Int.</td>
<td>23</td>
<td>34</td>
<td>13,939</td>
<td>145,000</td>
</tr>
<tr>
<td>28</td>
<td>Tanker</td>
<td>4th Int.</td>
<td>22</td>
<td>50</td>
<td>14,251</td>
<td>381,000</td>
</tr>
<tr>
<td>29</td>
<td>Tanker</td>
<td>4th Int.</td>
<td>23</td>
<td>33</td>
<td>14,118</td>
<td>135,000</td>
</tr>
<tr>
<td>30</td>
<td>Tanker</td>
<td>4th Int.</td>
<td>22</td>
<td>67</td>
<td>13,889</td>
<td>400,000</td>
</tr>
<tr>
<td>31</td>
<td>Tanker</td>
<td>4th Int.</td>
<td>23</td>
<td>43</td>
<td>13,850</td>
<td>202,000</td>
</tr>
<tr>
<td>32</td>
<td>Pr. Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>37</td>
<td>11,569</td>
<td>50,000</td>
</tr>
<tr>
<td>33</td>
<td>Pr. Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>43</td>
<td>11,569</td>
<td>50,000</td>
</tr>
<tr>
<td>34</td>
<td>Pr. Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>52</td>
<td>11,580</td>
<td>30,000</td>
</tr>
<tr>
<td>35</td>
<td>Pr. Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>41</td>
<td>11,600</td>
<td>40,000</td>
</tr>
<tr>
<td>36</td>
<td>Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>180</td>
<td>22,786</td>
<td>900,000</td>
</tr>
<tr>
<td>37</td>
<td>Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>68</td>
<td>22,786</td>
<td>300,000</td>
</tr>
<tr>
<td>38</td>
<td>Tanker</td>
<td>3rd Sp.</td>
<td>15</td>
<td>149</td>
<td>22,786</td>
<td>2,000,000</td>
</tr>
<tr>
<td>39</td>
<td>Tanker</td>
<td>3rd Sp.</td>
<td>14</td>
<td>167</td>
<td>22,786</td>
<td>600,000</td>
</tr>
<tr>
<td>40</td>
<td>Ch. Tanker</td>
<td>Drydock</td>
<td>31</td>
<td>6</td>
<td>2,875</td>
<td>20,670</td>
</tr>
<tr>
<td>41</td>
<td>Tanker</td>
<td>Drydock</td>
<td>12</td>
<td>10</td>
<td>923</td>
<td>259</td>
</tr>
</tbody>
</table>
Table 2 presents a more detailed decomposition of the areas of the hull structure repaired during the dry-docking of some of the oil tankers used at this data collection. Main areas repaired are the deck plate (mostly due to pitting corrosion), side ballast tanks due to general corrosion affected surfaces especially in the upper part of transverse bulkheads and webs. Also, the fore and aft peak tanks due to general corrosion patterns affecting the transverse bulkheads, the stringer plates and the transversal web frames. Other areas in the exposed deck surfaces included the poop deck area, the superstructure decks and the forecastle deck mostly due to pitting corrosion problems. It is also worthwhile mentioning that there is a slight variation between the as built and the actually renewed steel weight (new original) due to the unavailability of original scantlings at the dry-docking places (shipyards in Far East).

### Table 2 Oil tanker ship repair data per area examined

<table>
<thead>
<tr>
<th>Area examined</th>
<th>T1 As built</th>
<th>T1 New original</th>
<th>T2 As built</th>
<th>T2 New original</th>
<th>T3 As built</th>
<th>T3 New original</th>
<th>T4 As built</th>
<th>T4 New original</th>
<th>T5 As built</th>
<th>T5 New original</th>
</tr>
</thead>
<tbody>
<tr>
<td>Deck plate</td>
<td>68</td>
<td>98</td>
<td>115</td>
<td>119</td>
<td>69</td>
<td>73</td>
<td>118</td>
<td>127</td>
<td>112</td>
<td>113</td>
</tr>
<tr>
<td>Side ballast tanks</td>
<td>47</td>
<td>49</td>
<td>114</td>
<td>118</td>
<td>37</td>
<td>38</td>
<td>162</td>
<td>184</td>
<td>54</td>
<td>58</td>
</tr>
<tr>
<td>Cargo tanks</td>
<td>4</td>
<td>4</td>
<td>26</td>
<td>21</td>
<td>0</td>
<td>6</td>
<td>0</td>
<td>0</td>
<td>0</td>
<td>0</td>
</tr>
<tr>
<td>Fore peak tank</td>
<td>0</td>
<td>8</td>
<td>14</td>
<td>14</td>
<td>4</td>
<td>5</td>
<td>22</td>
<td>22</td>
<td>19</td>
<td>19</td>
</tr>
<tr>
<td>forecastle deck</td>
<td>2</td>
<td>2</td>
<td>0</td>
<td>0</td>
<td>3</td>
<td>3</td>
<td>7</td>
<td>7</td>
<td>5</td>
<td>5</td>
</tr>
<tr>
<td>Poop deck</td>
<td>6</td>
<td>6</td>
<td>14</td>
<td>14</td>
<td>7</td>
<td>8</td>
<td>17</td>
<td>17</td>
<td>9</td>
<td>9</td>
</tr>
<tr>
<td>Superstructure decks</td>
<td>3</td>
<td>3</td>
<td>5</td>
<td>5</td>
<td>3</td>
<td>3</td>
<td>5</td>
<td>5</td>
<td>4</td>
<td>4</td>
</tr>
<tr>
<td>A. Poop deck</td>
<td>6</td>
<td>5</td>
<td>0</td>
<td>0</td>
<td>5</td>
<td>5</td>
<td>8</td>
<td>8</td>
<td>5</td>
<td>5</td>
</tr>
<tr>
<td>Total (tons)</td>
<td>144</td>
<td>145</td>
<td>370</td>
<td>391</td>
<td>128</td>
<td>135</td>
<td>397</td>
<td>400</td>
<td>199</td>
<td>202</td>
</tr>
</tbody>
</table>

**Notes**
1. Total estimation of steel renewal is rounded up to the next whole number (in tons)
2. As built renewal based on as built thickness
3. New original renewal based on new original thickness
The discount rate of money is difficult to predict, since it depends on the economical conditions during the lifetime of a subject vessel.

\[ C_t^* : \text{Net cost in year } t, \text{ this can be assumed equal for all years} \]

\[ r : \text{discount rate} \]

\[ t : \text{the specific year in the life-cycle costing period} \]

\[ C_t^* : \text{Net cost in year } t, \text{ this can be assumed equal for all years} \]

The discount rate of money is difficult to predict, since it depends on the economical conditions during the lifetime of a subject vessel.

APPENDIX II: FINANCIAL BASICS – THE NET PRESENT METHOD

LCC analysis consists of defining the LCC of each element and reducing each element cost to a common basis. It is important to compare alternatives on a common baseline. This Appendix discusses the methods of reducing the LCC to a common basis using present worth calculations.

In LCC analysis, escalation and discount rates must be considered. The most widely used method of LCC analysis uses the net present worth method. In this method, costs are estimated in current Euros, escalated to the time when they would be spent, and then corrected to a present worth using a discount rate. When the inflation and discount rates are equal, LCC can be computed as current Euros, totalled for the ship life and compared. When the escalation and discount rate are different, the escalation and present worth calculations must be performed.

To estimate the impact of discounting and escalating, the following common equations (A.1) and (A.2) may be applied.

Escalating takes account of the change in price levels over time.

\[ EF = (1+E_1) \times (1+E_2) \times \ldots \times (1+E_t) \quad (A.1) \]

Where

\[ EF \text{ is the escalation factor in year } t; \]

\[ E_t \text{ is the escalation rate in } t\text{-th year.} \]

As maintenance/repair actions are distributed over long time periods (e.g. 25-40 years), the effect of time on money must be considered. The cost of each action must be converted to an equivalent value at a reference instant. This can be achieved through the discount rate, \( r \). The equivalent cost today, \( C_0^* \), of spending a certain amount of money, \( C_t^* \), at a given time \( t \) in the future, can be expressed by the present value of cost, given as:

\[ C_0^* = \frac{C_t^*}{(1+r)^t} \quad (A.2) \]

The discount rate of money is difficult to predict, since it depends on the economical conditions during the lifetime of a subject vessel.
Figure 1. GLCMC model and life-cycle cost/earning elements within a ship design optimisation platform.
<table>
<thead>
<tr>
<th>##</th>
<th>x</th>
<th>y</th>
<th>y' = mean</th>
<th>(y-y')</th>
<th>(y-y')^2</th>
<th>y' + Cl</th>
<th>y'-Cl</th>
</tr>
</thead>
<tbody>
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Figure 2. The population (inc. 16 points) of steel replacement
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**Figure 3.** The population (inc. 32 points) of unavailability

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Figure 4. Regressions for Tankers with respect to “steel replacement vs. age” (for 95% confidence)
Figure 5. Regressions for Tankers with respect to “unavailability vs. age” (for 95% confidence)
Figure 6. The step-wise procedure for GLCMC
Table 1 The results of the scenario analysis for confidence interval oriented approximation

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<th>Lightweight (in tonnes)</th>
<th>% δ</th>
<th>Scenario 1: M2 + M3 − M5 (DWT is constant)</th>
<th>% δ</th>
<th>Scenario 2: M2 − M4 − M5 (Δ is constant)</th>
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Figure 7. Sensitivity analysis with respect to lightweight with constant DWT
Figure 8. Sensitivity analysis with respect to the maintenance strategy with constant DWT